

# **Paleostress and Slip Recovery from Complex Faults Geometry Using Mechanical Interactions: Application to Fracture Prediction\***

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## **Abstract**

Methods for stress inversion, using measure striation and/or throw, are mainly based on the following assumptions:

- the stress field is uniform within the rock mass embedding the faults (assuming no perturbed stress field), and
- the shear traction has the same direction and sense as the resolved far field stress onto the fault plane.

However, it has been shown that slip direction are highly affected by:

- anisotropy in fault compliance caused by irregular tipline geometry,
- anisotropy in fault friction (surface corrugations),
- heterogeneity in host rock stiffness and
- perturbation of the local stress field mainly due to mechanical interactions of adjacent faults.

Therefore, mechanical interactions due to complex faults geometry in heterogeneous media have to be taken into account while doing stress inversion.

We investigate this approach using Poly3D, a 3D Boundary Element Method (3D-BEM) using linear elasticity in heterogeneous, isotropic whole- of half-space. Given some measures of the fault throw and/or dip-slip (plus constraints such as slikenline directions if any), as well as the faults geometry, we recover for paleostress orientation and magnitudes as well as for the unknown slip distribution onto the faults.

Having the paleostress as well as the slip distribution onto the faults, it is then possible to compute anywhere within the 3D elastic field, the strain, stress and displacement. Particularly, the stress field can be used to predict fractures and subseismic faults. We show examples from different field areas, such as complex faulted reservoirs.

# **PaleoStress and slip recovery on complex faults geometry using mechanical interactions: Application to fractures prediction**

F. Maerten<sup>(1,2)</sup> & L. Maerten<sup>(1)</sup>

## **Outline**

- Subsurface fracture modeling (geomechanics)
- PaleoStress/strain estimation for modeling fractures
- Case study: Oseberg Syd field (Northern North sea)
- Conclusions

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# Importance of perturbed stress field

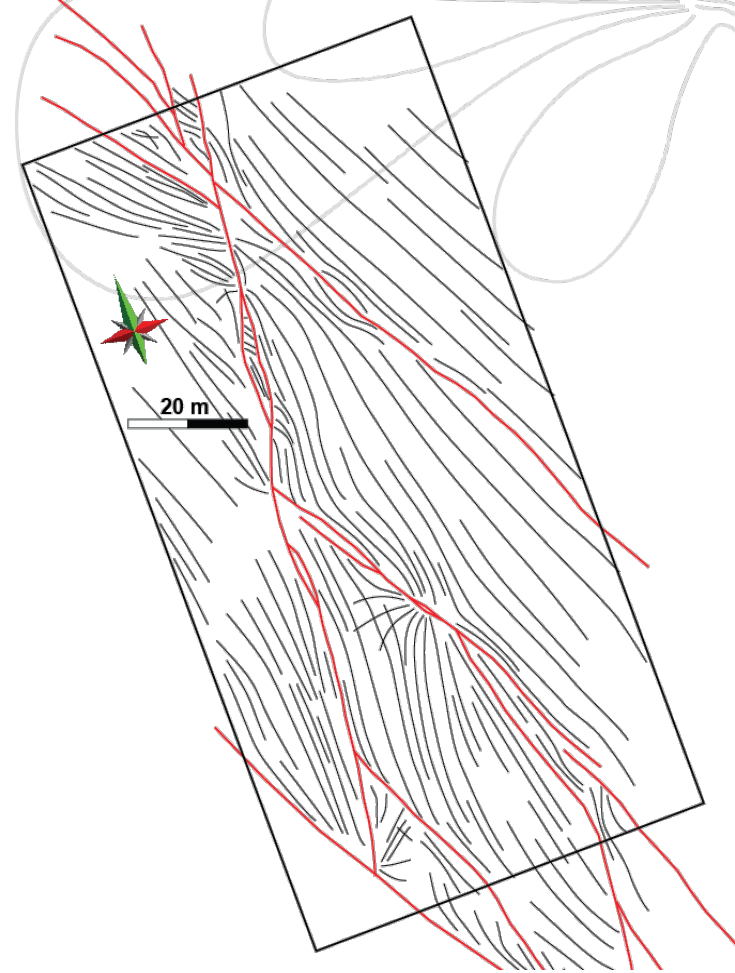
## Fractures affected by nearby faults

Location, density, and orientation of joints can be affected by slip on nearby faults.



(photo by D. D. Pollard)

Curved joint networks in carbonates  
at Nash Point, England



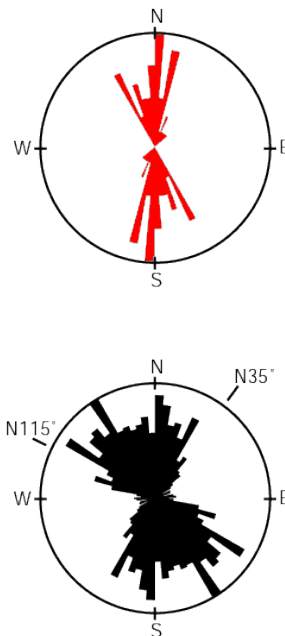
# Importance of perturbed stress field

## Faults affected by nearby major faults



(after Maerten et al., 2006)

Location, density, and orientation of faults can be affected by slip on nearby major faults.



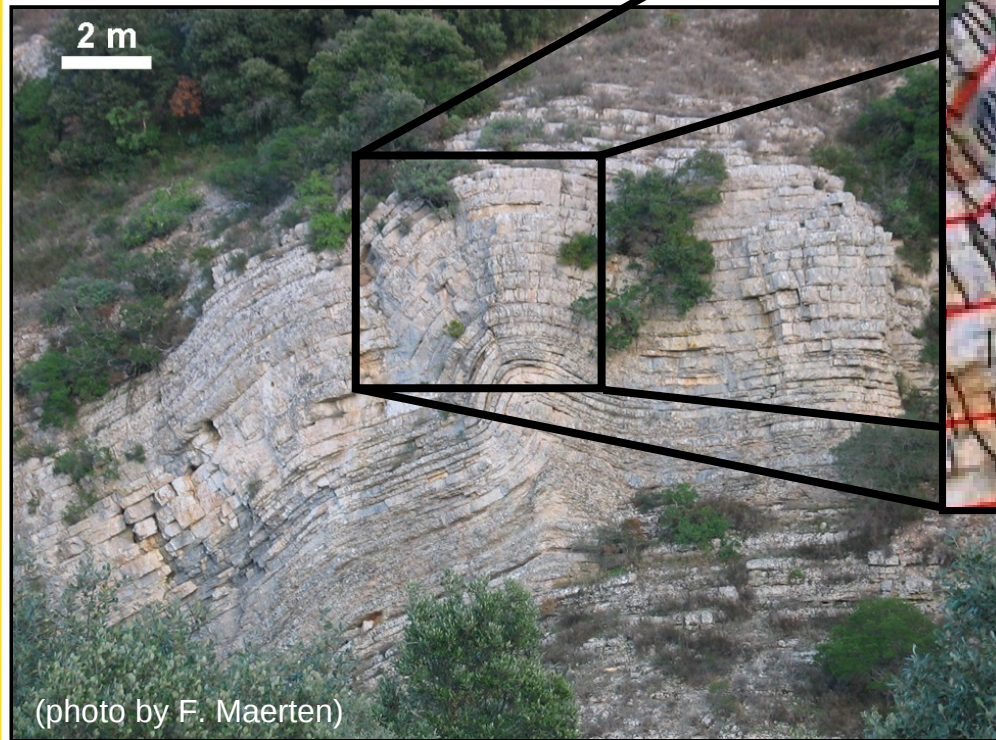
Influence of major faults on secondary fault network, North Sea.



# Importance of perturbed stress field

## Joints and faults affected by folding

Location, density, and orientation of both joints and faults can be affected by folding.



Influence of folding on joint patterns.

Fold in carbonates near Montpellier, France

# Summary and basic principle for modeling

Fracture characteristics (kind, orientation, location) at the time of their development depend on:

- 1 **The objects that perturb the stresses** (*faults, folds, fractures, salt domes, cavities, etc.*)
- 2 **The tectonic loading** (*regional or local stress regime*)
- 3 **The rock type** (*behavior and physical properties*)

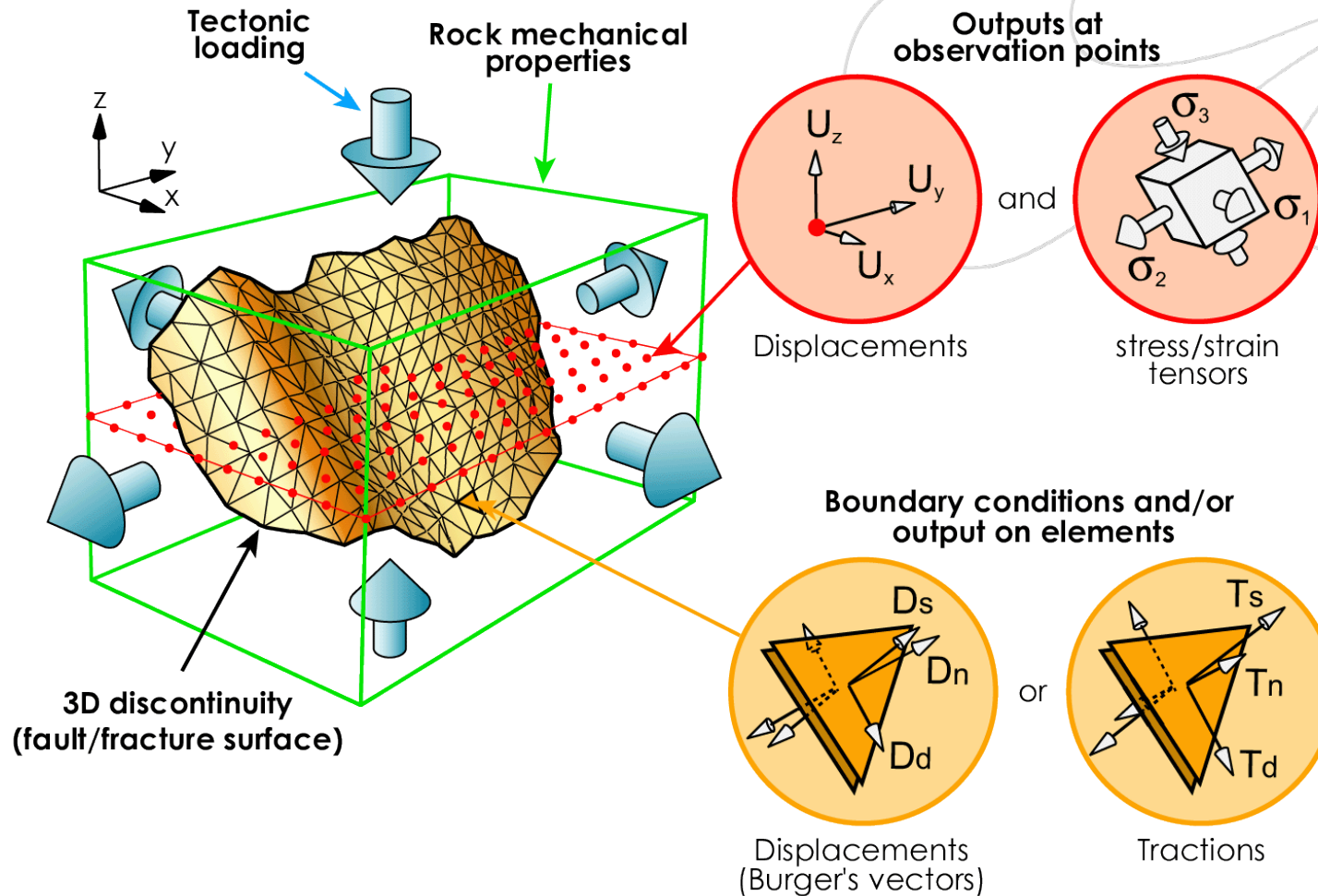
**Main unknown !**

***Thus, on the local state of stress at a given time !***

The goal is to estimate the  
local state of stress based on these 3 points  
using

**geomechanical modeling (Poly3D)**

# Background: Poly3D key elements





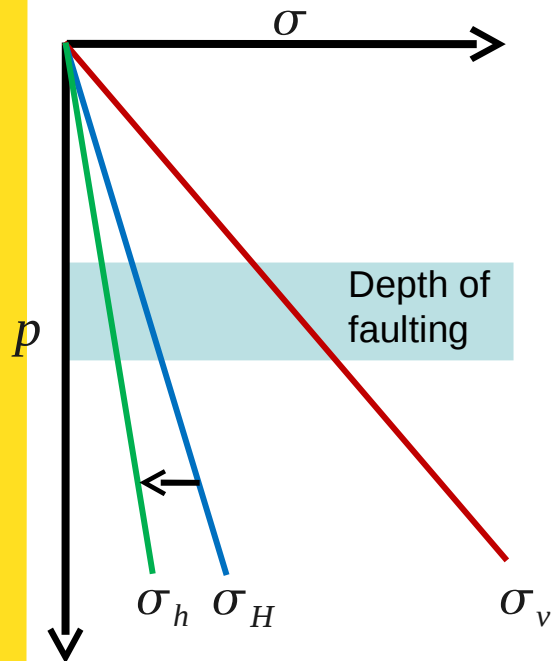
# Poly3D vs standard dislocation methods

- Poly3D uses triangular elements (complex geometries)
  - Heterogeneous material + frictional faults
  - Can model interacting branching and overlapping faults
  - Takes into account far field stresses or strains
  - Can be used for fault interpretation QC
  - Can be used for fracture modeling
- 
- Other methods use rectangular elements (perturb the solution, Maerten et al., 2005)
  - They are limited to model simple fault geometries (non-branching and non-overlapping)
  - Complete slip on fault must be known
  - No physical equilibrium when adding far field stress

# How to estimate the far field stress/strain?

Existing methods:

By hand



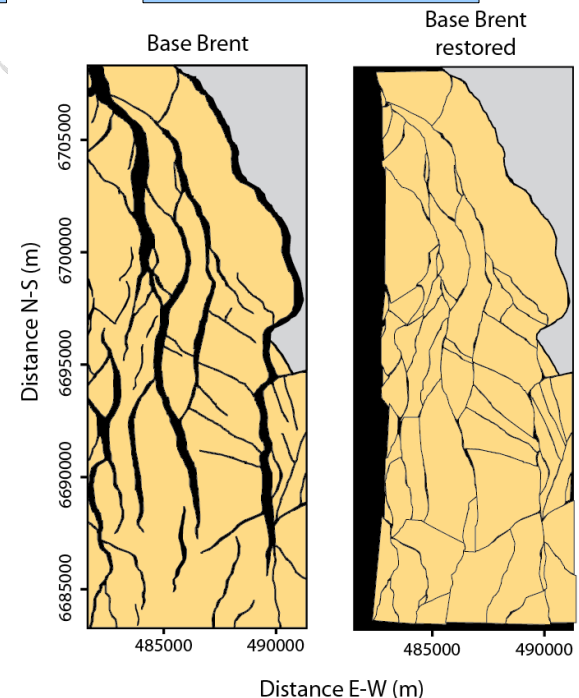
No info about the orientation

Angelier, Etchecopar...

Reconstructing of the paleostress based on measurements of the directions and sense of slip along outcropping fault surface.

Need measurements of slickenlines

Restoration

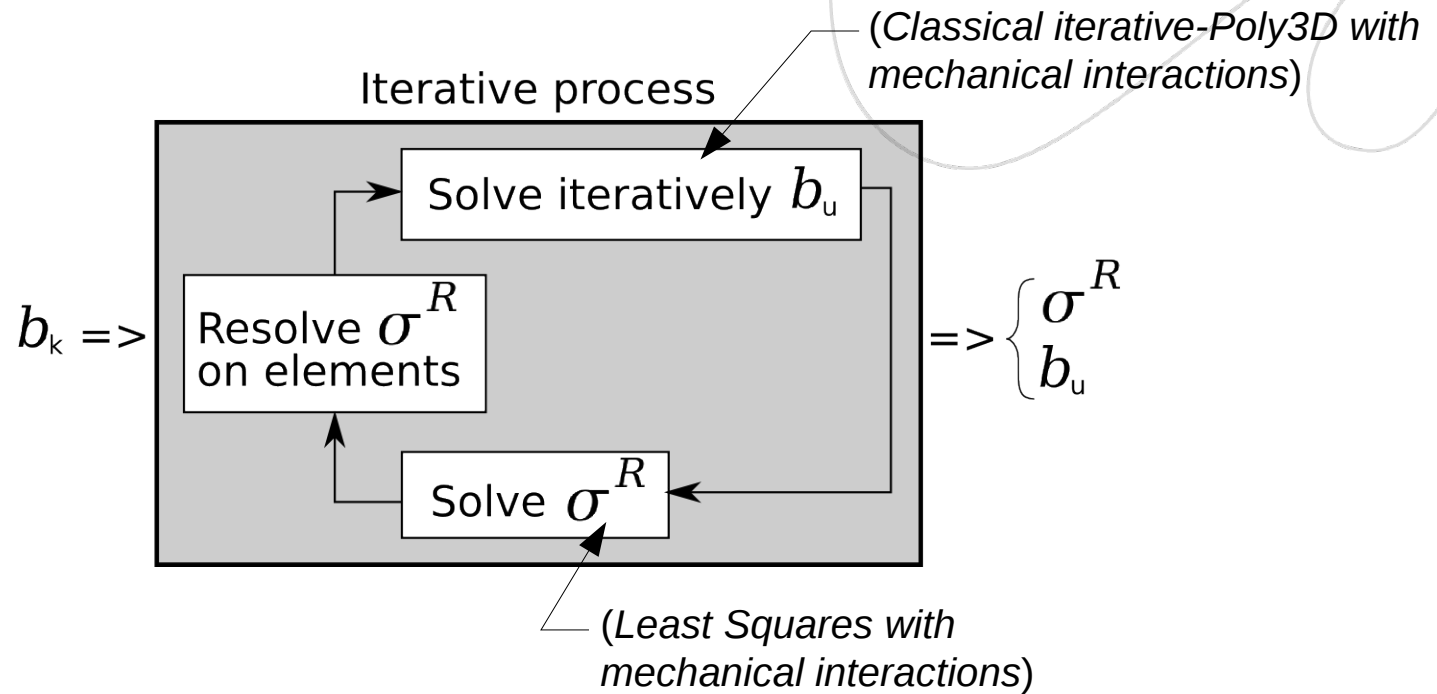


Access to strain only, time consuming

# Paleostress/strain estimation: Theory

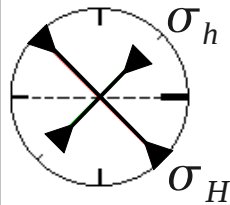
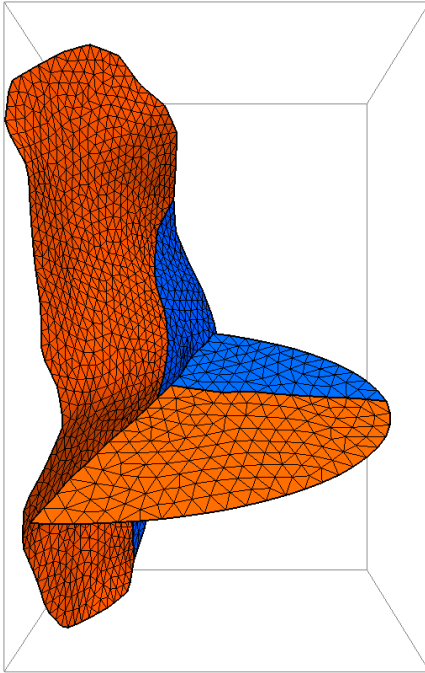
- Based on Poly3D kernel functions (mechanical interactions)
- Use measured slip magnitudes onto the faults (e.g. throw)
- Use slickenline measurements if necessary to better constrain the inversion
- Use a dual iterative coupled systems where shared variables are exchanged during each iteration
- Recover for both paleostress and unknown displacements on faults or part of the faults
- Inversion can be constrained with inequality on displacement and/or stress/strain magnitude and orientation

# Paleostress/strain estimation: Algorithm



# Paleostress/strain estimation: Validation

## Forward modeling configuration



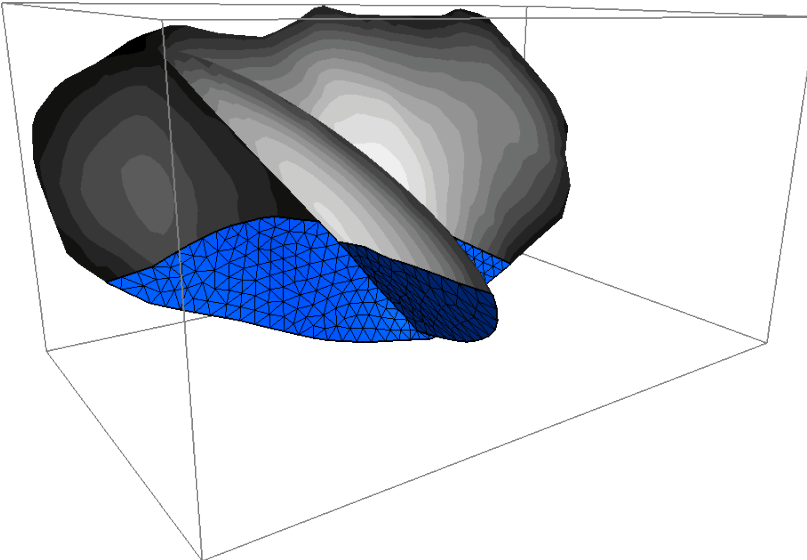
Imposed far field stress

$$\sigma_v = 1$$

$$\sigma_H = 3 \quad N135E$$

$$\sigma_h = 2 \quad N45E$$

Faults are free to slip



Imposed computed dip-slip  
onto the upper part of the  
faults



# Paleostress/strain estimation: Validation

## Result:

### Imposed (forward model)

$$\sigma_v = 1$$

$$\sigma_H = 3 \quad N135E$$

$$\sigma_h = 2 \quad N45E$$

### Recovered (paleostress)

$$\sigma_v = 1$$

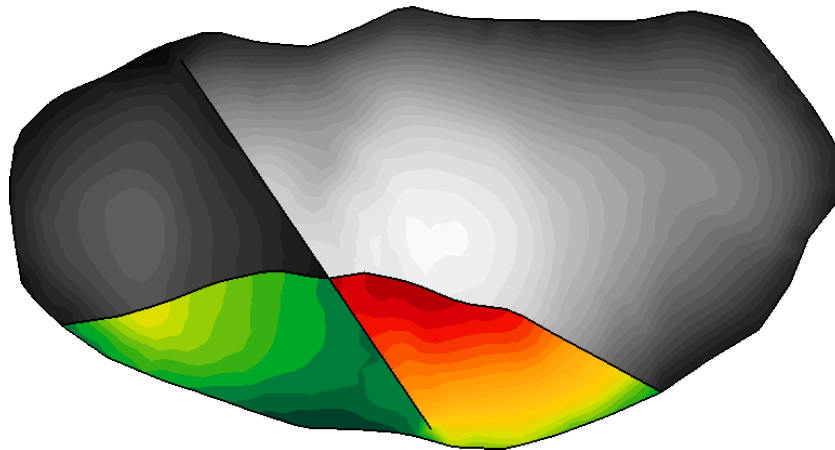
$$\sigma_H = 2.99758 \quad N134.96E$$

$$\sigma_h = 2.00079 \quad N44.969E$$

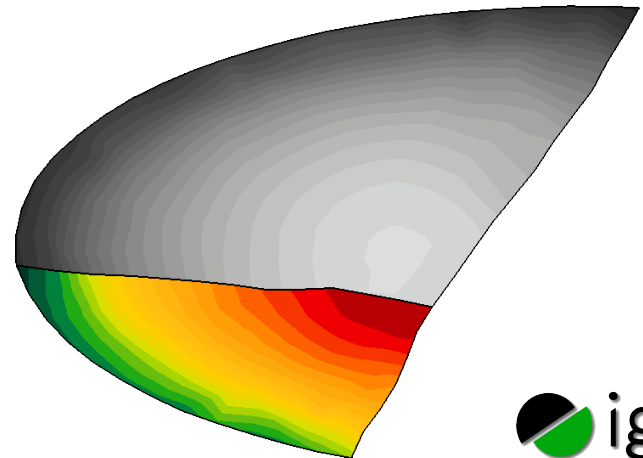
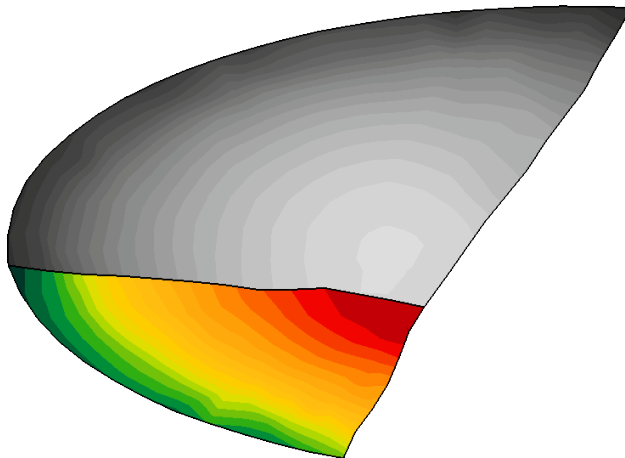
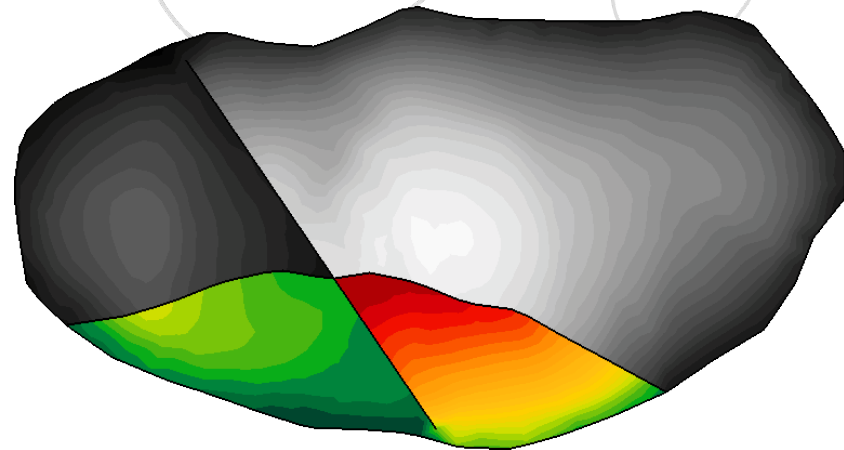
# Paleostress/strain estimation: Validation

## Dip-slip recovered (colored parts)

Forward (as it should be)



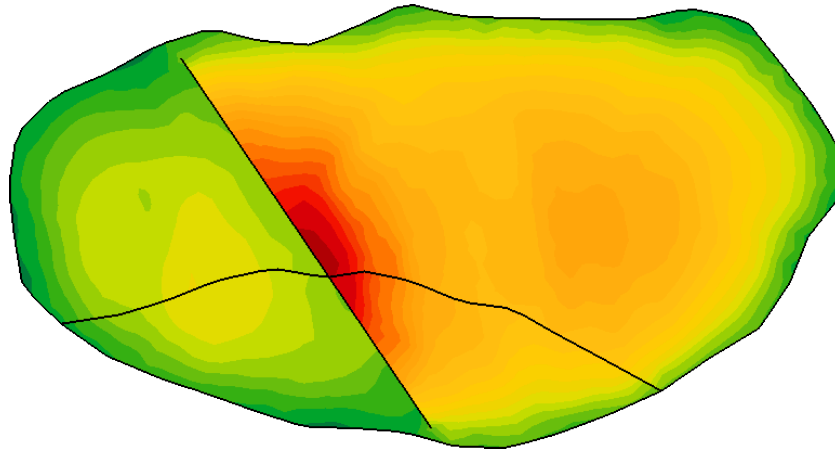
Recovered



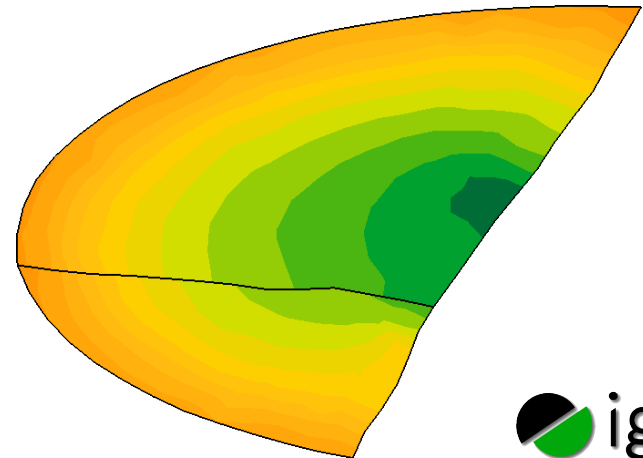
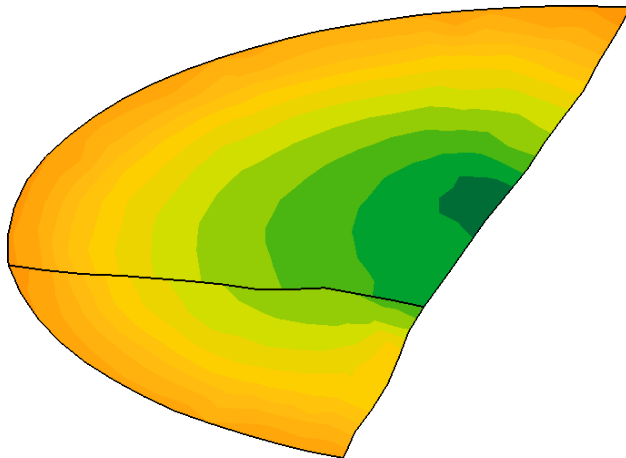
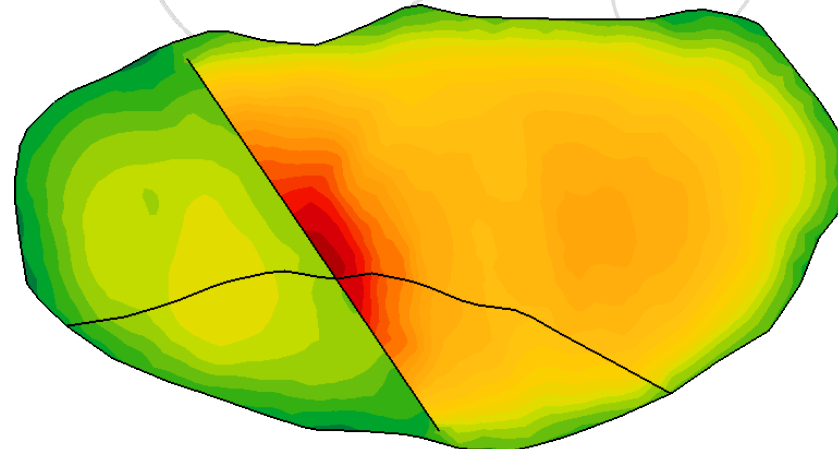
# Paleostress/strain estimation: Validation

**Strike-slip recovered (everywhere)**

Forward (as it should be)



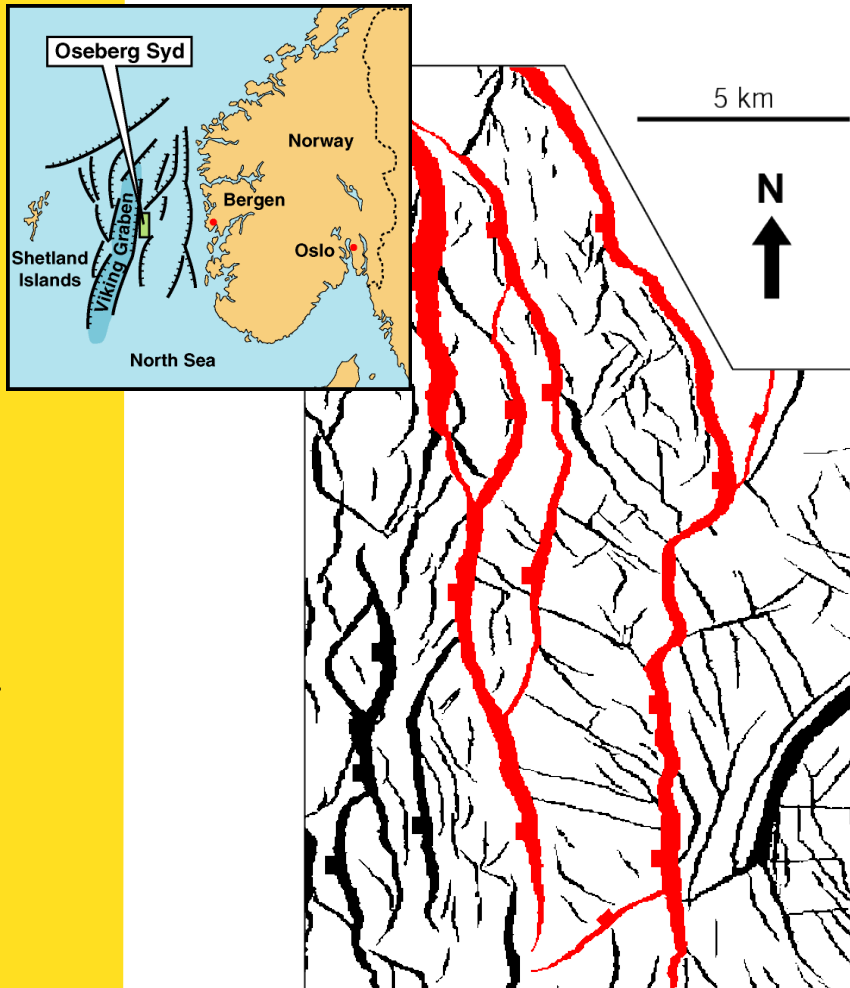
Recovered



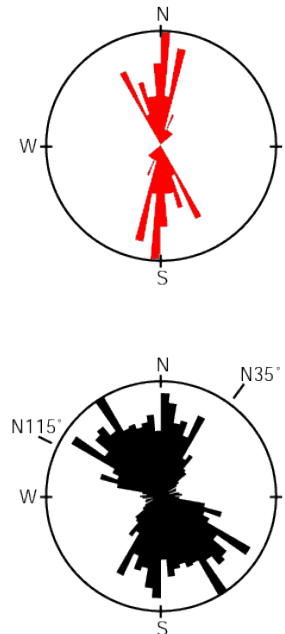
# Advantages and limitations

- Takes into account fault interactions
- Use complex fault geometry
- Use displacement magnitude and slickenline information
- Recover for the unknown displacement on faults (e.g. strike-slip)
- Recover for both magnitude and orientation of the paleostress/strain
- Single phase
- Use linear elasticity: magnitudes of paleostress can be very high

# Case study: Oseberg Syd (Northern North Sea) (Maerten et al., 2006)



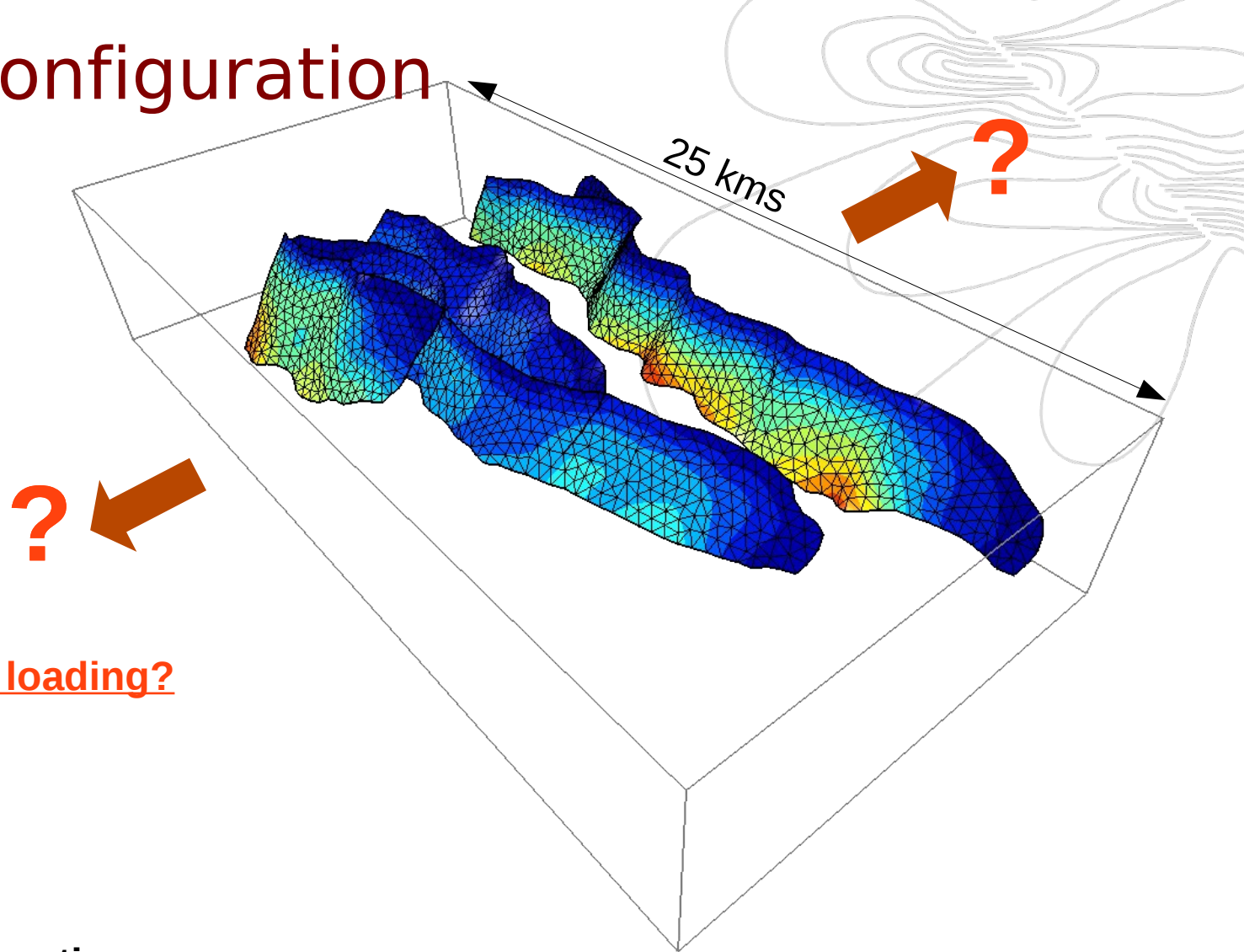
Highly deformed reservoir with numerous normal faults that appear to be sealing faults



**Goal:**  
model undetected  
faults using the  
perturbed stress field  
with Poly3D



# Model configuration



## Tectonic loading?

$$\epsilon_H = ?$$

$$\epsilon_h = ?$$

$$\epsilon_v = ?$$

## Rock properties:

$$E = 45 \text{ GPa}$$

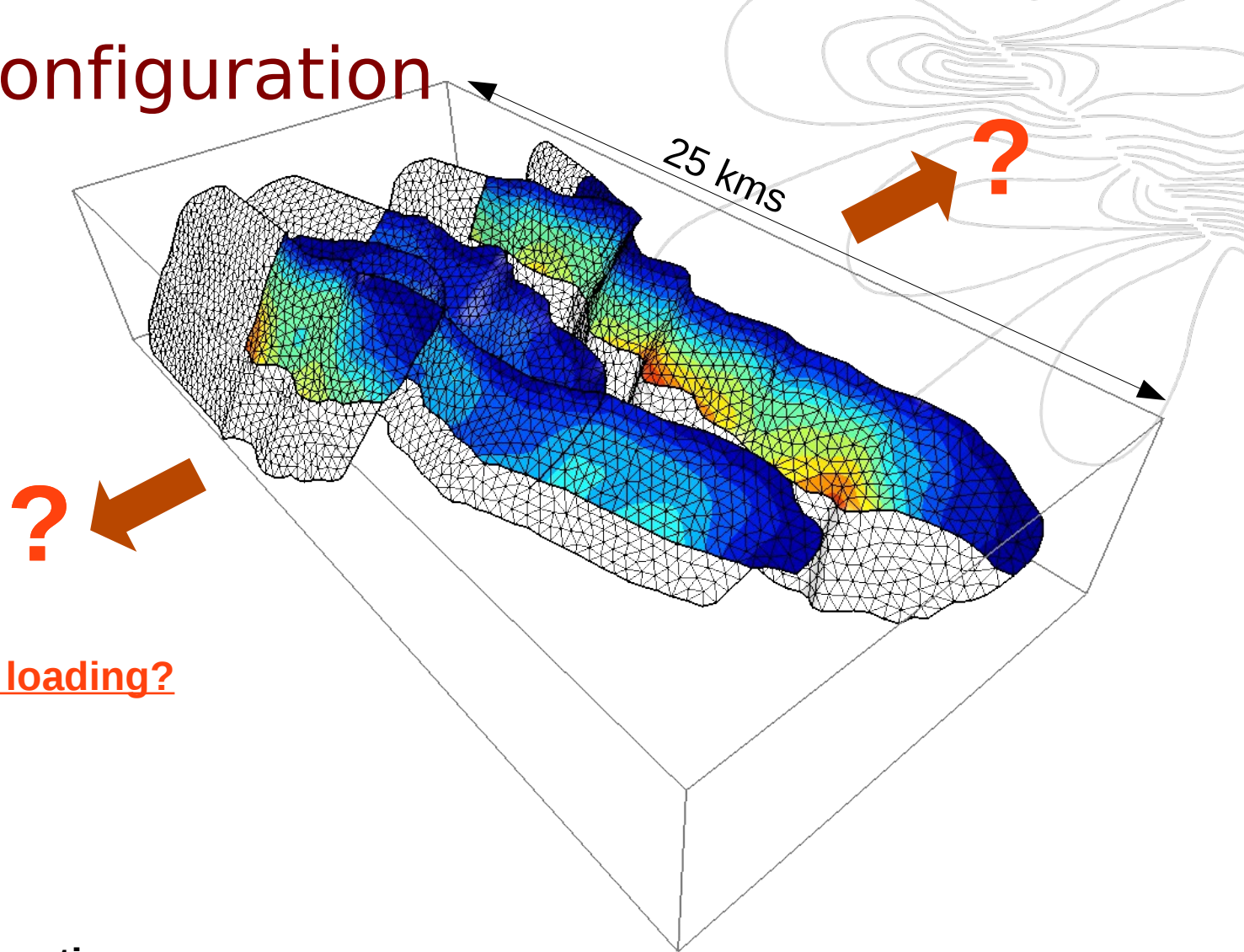
$$\nu = 0.21$$

## Boundary conditions:

Imposed dip-slip:  $0 < D_x \leq 1300 \text{ m}$  (colored parts)

Faults free to slip

# Model configuration



## Tectonic loading?

$$\epsilon_H = ?$$

$$\epsilon_h = ?$$

$$\epsilon_v = ?$$

## Rock properties:

$$E = 45 \text{ GPa}$$

$$\nu = 0.21$$

## Boundary conditions:

Imposed dip-slip:  $0 < D_x \leq 1300 \text{ m}$  (colored parts)

Faults free to slip

# Paleostrain and slip recovery

## Paleostain recovery

### Recovered (2mn)

$$\epsilon_H = \text{N11W } (-0.14)$$

$$\epsilon_h = \text{N79E } (-0.25)$$

$$\epsilon_v = (0.1)$$

### Recovered (from restoration)

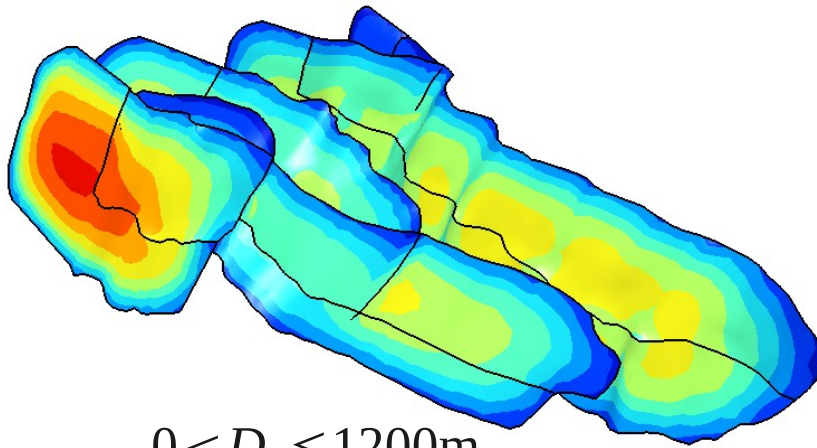
$$\epsilon_H = \text{N10W } (-0.04)$$

$$\epsilon_h = \text{N80E } (-0.13)$$

$$\epsilon_v = (0.17)$$

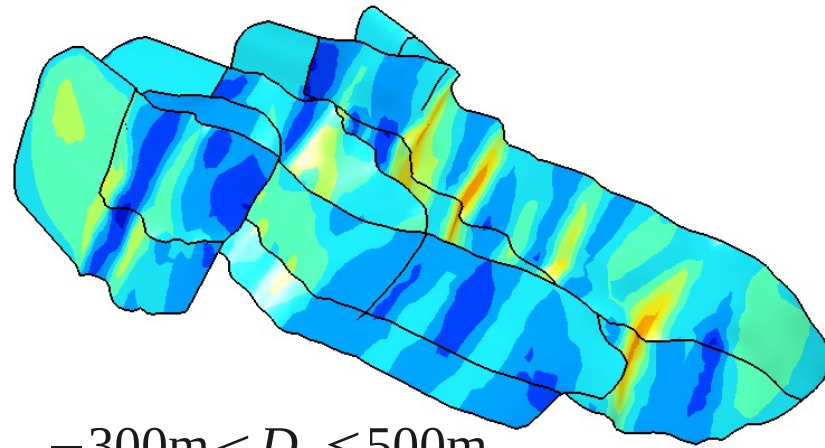
(Maerten et al., 2006)

## Dip-slip recovery



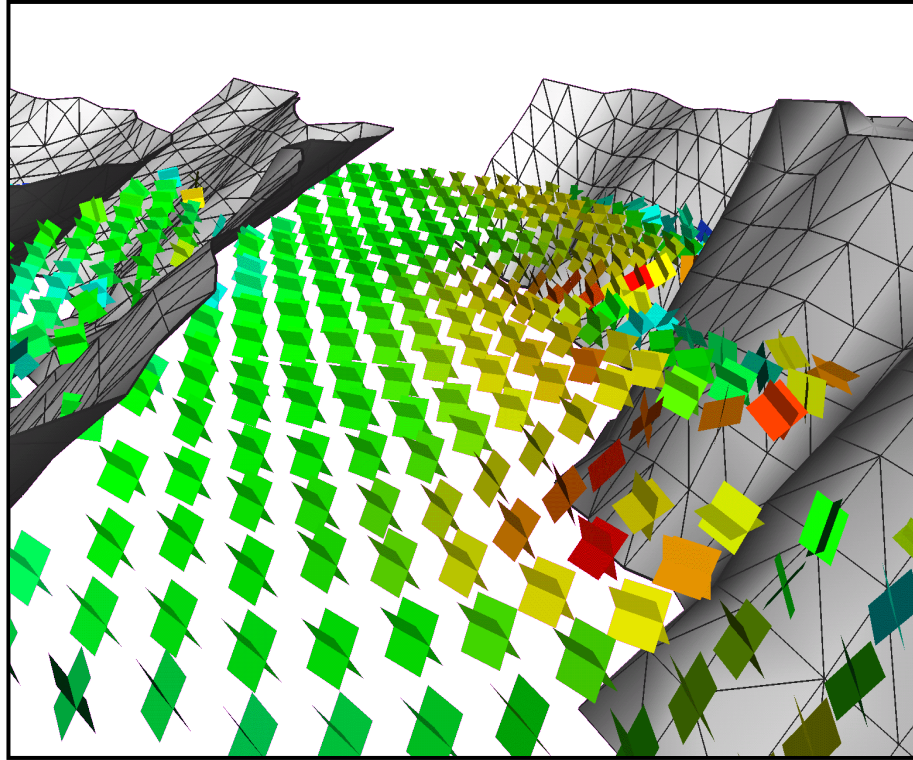
$$0 < D_x \leq 1200\text{m}$$

## Strike-slip recovery

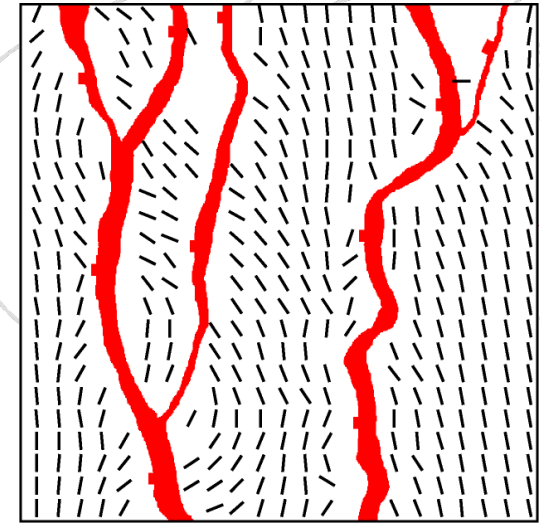


$$-300\text{m} < D_y \leq 500\text{m}$$

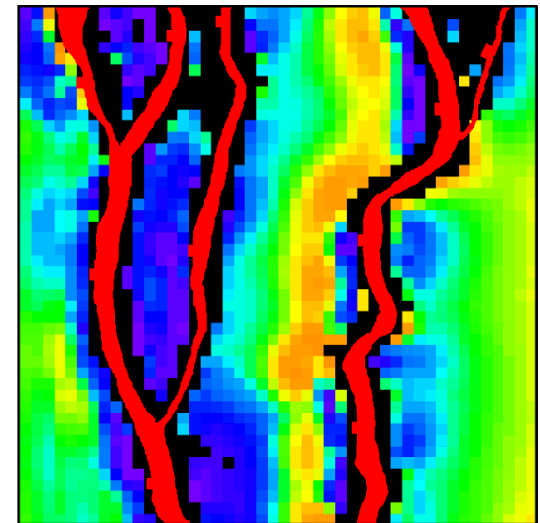
# Subseismic fault and fracture modeling



Fault strike



Fault density



2 km



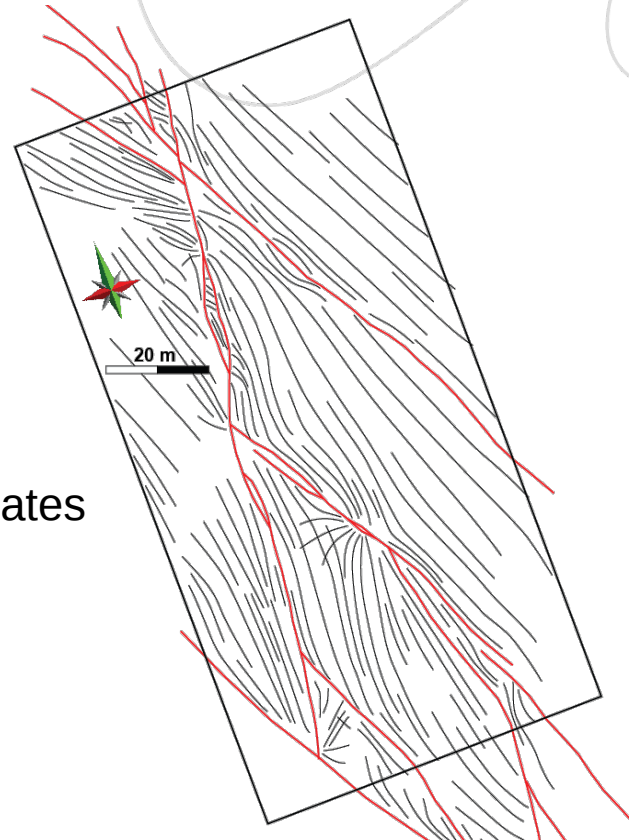
# Conclusions

- Geomechanically based inversion
- Recover for both paleostress/strain and unknown displacements onto the faults
- Fast and simple method
- Can give a good estimate of the paleostress/strain (single phase)



# Future work

- Will take into account measured fracture orientation from field observations, wellbore, seismic data, etc. to better constrain the inversion.



Curved joint networks in carbonates  
at Nash Point, England

# Thanks for your attention

Available for research at: [www.igeoss.com](http://www.igeoss.com)

## References cited:

Maerten, L., Gillespie, P., Daniel, J.-M., 2006, 3-D geomechanical modeling for constraint of subseismic fault simulation, AAPG bulletin, v.90

Maerten, F., Resor, P. G., Pollard, D. D., Maerten, L., 2005, Inverting for Slip on Three-Dimensional Fault Surfaces using Angular Dislocations, BSSA, v.95

## Publications (in prep.):

Theory: with O. Kaven and D. Pollard

Application: with P. Lovely, E. Flodin, C. Guzofski and D. Pollard





**Input:** known  $b_k$

**Output:** unknown  $b_u$  and  $\sigma^R$

**while** not converge **do**

**S1:** Solve for  $b_u$  using Poly3D and the resolved  $\sigma^R$  as BC and  $b_k$

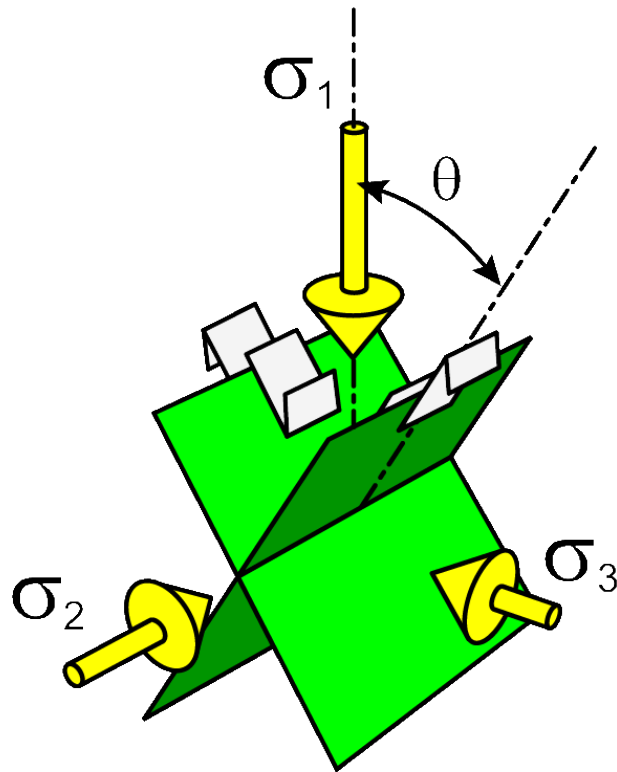
**S2:** Solve for the unknown  $\sigma^R$  using  $b_u$  and  $b_k$

**Resolve**  $\sigma^R$  on each triangular elements as initial BC

**end**

# Failure criterion for faults

## Direction and density of potential faults Coulomb shear failure criterion



$$\tan 2\theta = \mp \frac{1}{\mu}$$

$$S_c = \frac{\sigma_1 - \sigma_3}{2} \sqrt{1 + \mu^2} - \mu \frac{\sigma_1 + \sigma_3}{2}$$

$S_c$  represents the amount of shear stress on the two planes optimally oriented for failure.

## References

- Maerten, L., P. Gillespie, and J. M. Daniel, 2006, 3-D geomechanical modeling for constraint of subseismic fault simulation, AAPG Bulletin, v. 90, p. 1337-1358.
- Maerten, F., P G. Resor, D. D. Pollard, and L. Maerten, 2005, Inverting for slip on three-dimensional fault surfaces using angular dislocations, BSSA, v. 95.