Cluster Assisted 3D Unsupervised Seismic Facies Analysis - An Example from Osage County, Oklahoma*

Atish Roy¹ and Kurt J. Marfurt¹

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Abstract

Automatic seismic facies analysis aims to classify similar seismic traces based on amplitude, phase, frequency and other seismic attributes. This talk reviews Kohonen Self Organizing Maps as one of the clustering algorithms that can generate 3D seismic facies volumes using multiple attributes as input. To avoid guessing at the number of clusters necessary to represent the data, we have over-defined the number of initial clusters (Prototype Vectors), which after subsequent iterations tends to converge to a lesser number of clusters. After the training is complete, the modified PVs are then color-coded by using a 2D gradational colorscale (Matos et al., 2009). These colored PVs are then compared with the input data. Those traces with similar seismic nature are assigned the same colors, resulting in a 3D seismic facies volume.

If we have well information in certain areas of the survey we can assign their corresponding attribute patterns to Prototype Vectors that will be fixed for all iterations, thereby introducing some supervision in the application. We will be using volumetric attributes such as dip-magnitude, coherency, peak frequency and other mathematically independent and rotationally invariant volumetric attributes to come up with a 3D volume, highlighting variations in seismic facies and depositional environment of the survey area. We will also apply supervision in the application and compare the results.

Selected References

Coleou, T., M. Poupon, and K. Azbel, 2003, Unsupervised seismic facies classification; a review and comparison of techniques and implementation: Leading Edge, v. 22/10, p. 942-953.

Franseen, E.K., A.P. Byrnes, J.R. Cansler, D.M. Steinhauff, and T.R. Carr, 2004, The geology of Kansas; Arbuckle Group: Report #250, Kansas Geological Survey, Lawrence, Kansas, 43 p.

^{*}Adapted from oral presentation at AAPG Mid-Continent Section meeting, Oklahoma City, Oklahoma, October 1-4, 2011

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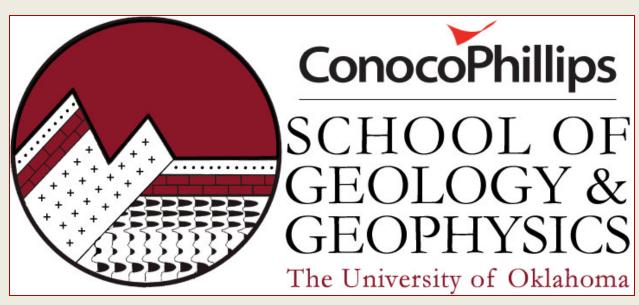
Northcutt, R.A., and J.A. Campbell, 1995, Geologic provinces of Oklahoma: Oklahoma Geological Survey Open-File Report 5-95, Scale 1:750,000, 1 sheet.

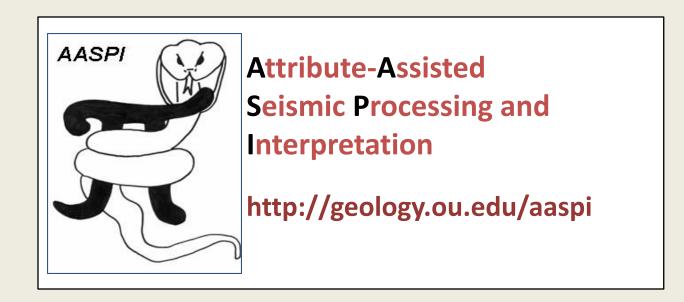
Strecker, U., and R. Uden, 2002, Data mining of 3D poststack seismic attribute volumes using Kohonen self-organizing maps, *in* J.E. Eastwood, (Prefacer), The attribute explosion: The Leading Edge, v. 21/10, p. 1032-1037.

Thorman, C.H., and M.H. Hibpshman, 1979, Status of mineral resource information for the Osage Indian Reservation, Oklahoma: USGS and Bureau of Mines, Administrative Report BIA-47, p. 1-60.

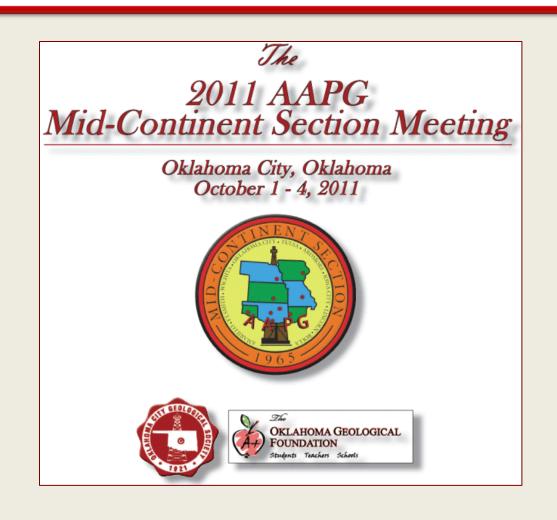
Zeller, D.E., 1968, The Stratigraphic succession in Kansas: Kansas Geological Survey Bulletin, v. 189, p. 81.





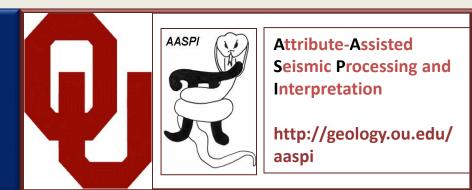


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Atish Roy* and Kurt J. Marfurt 3rd October 2011

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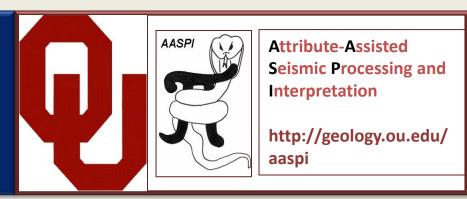
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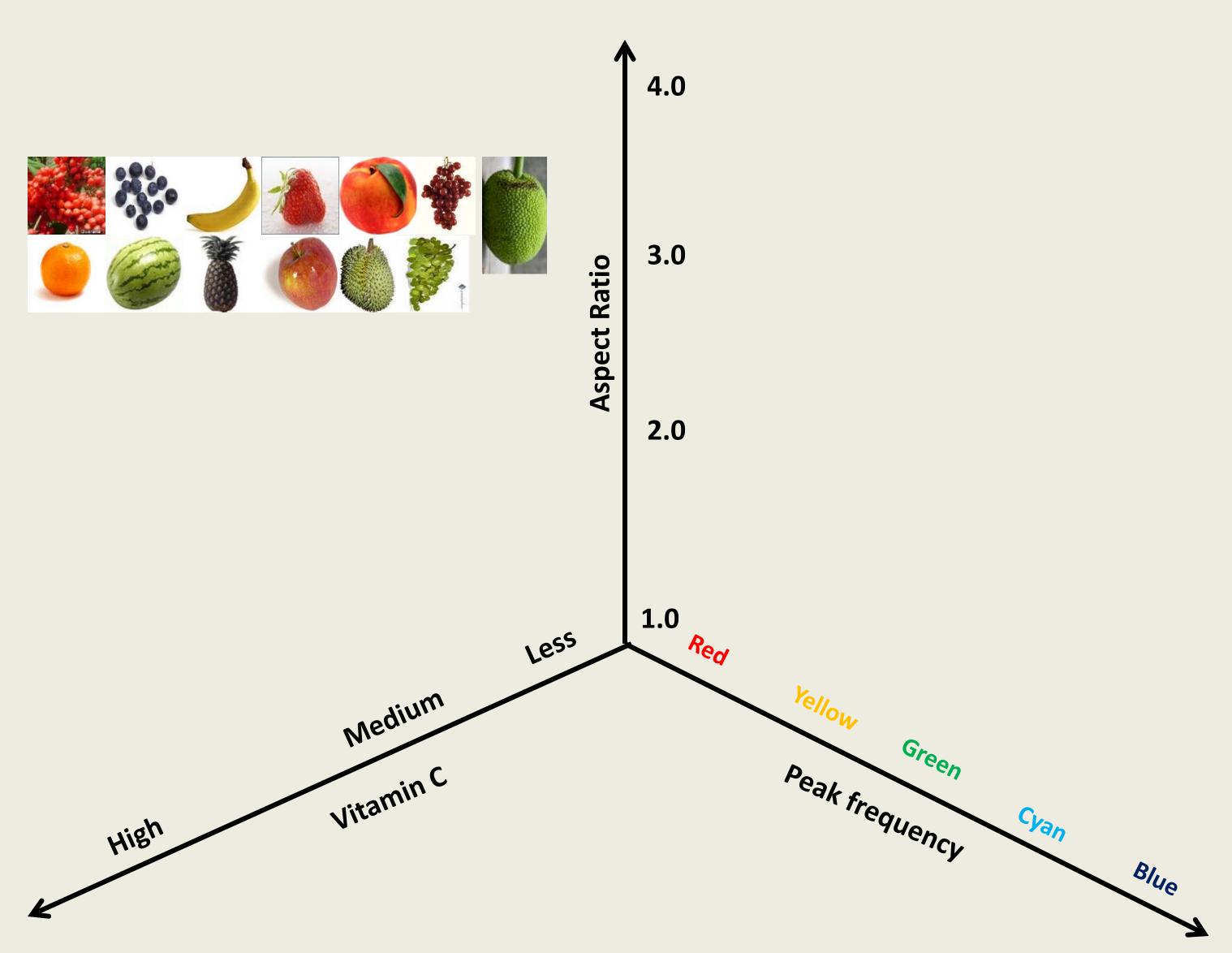
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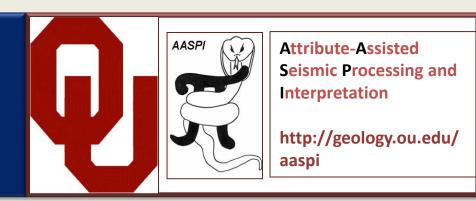
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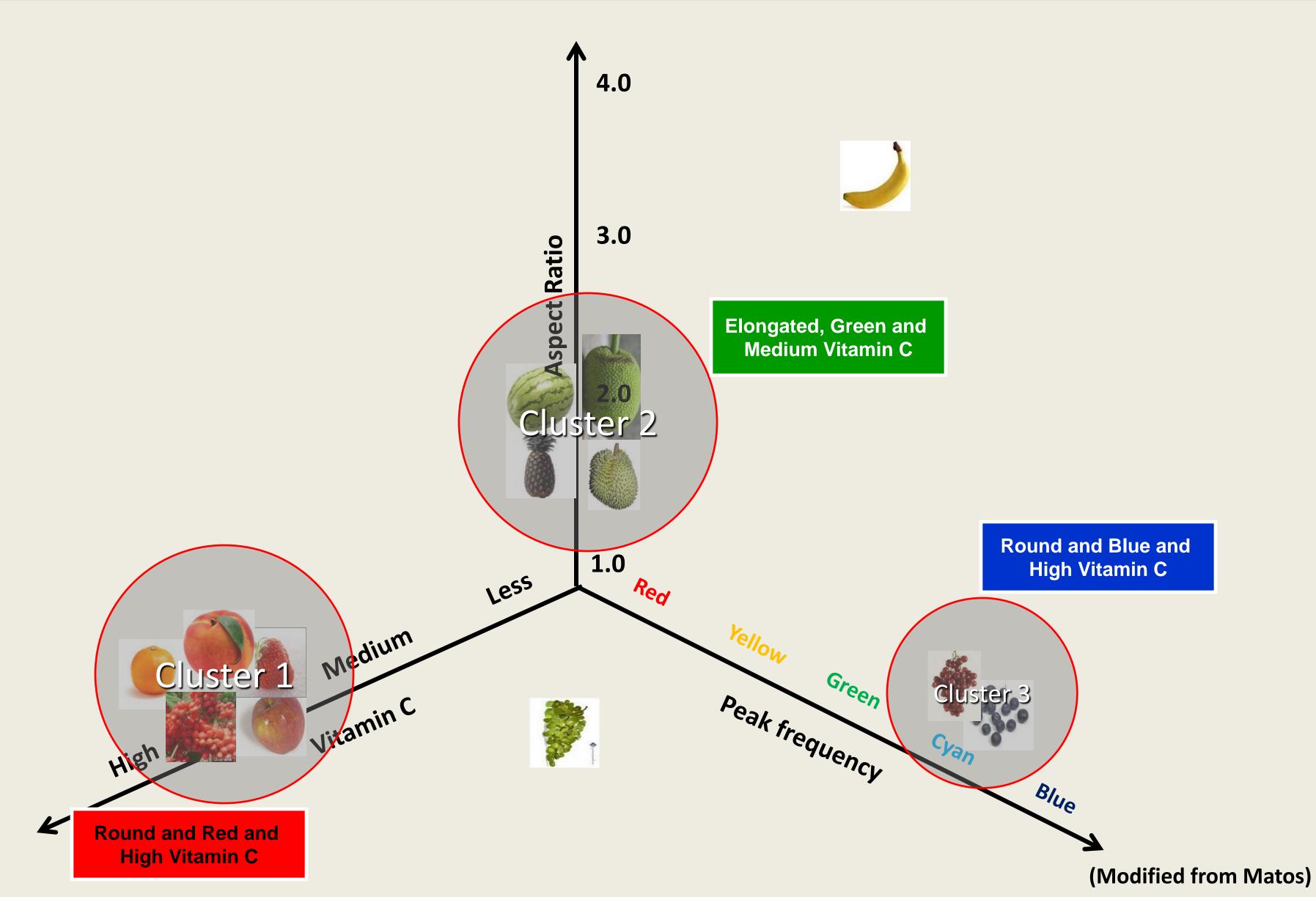
Classification on the basis of different attributes – Fruits Analogy



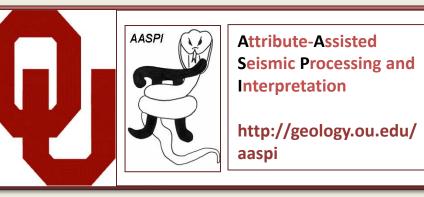


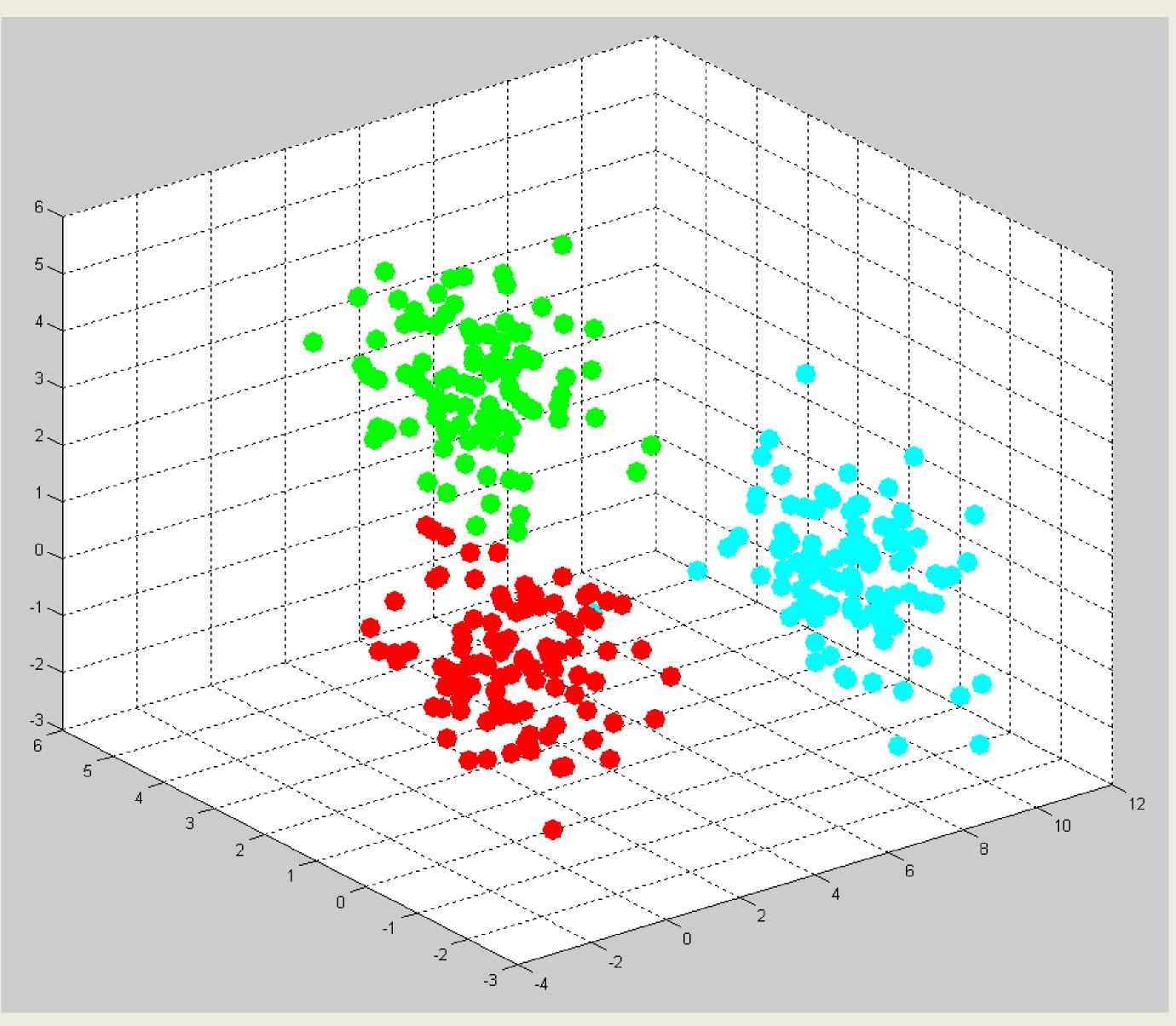
Classification on the basis of different attributes – Fruits Analogy



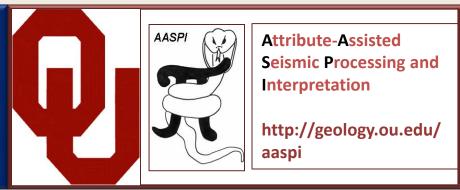


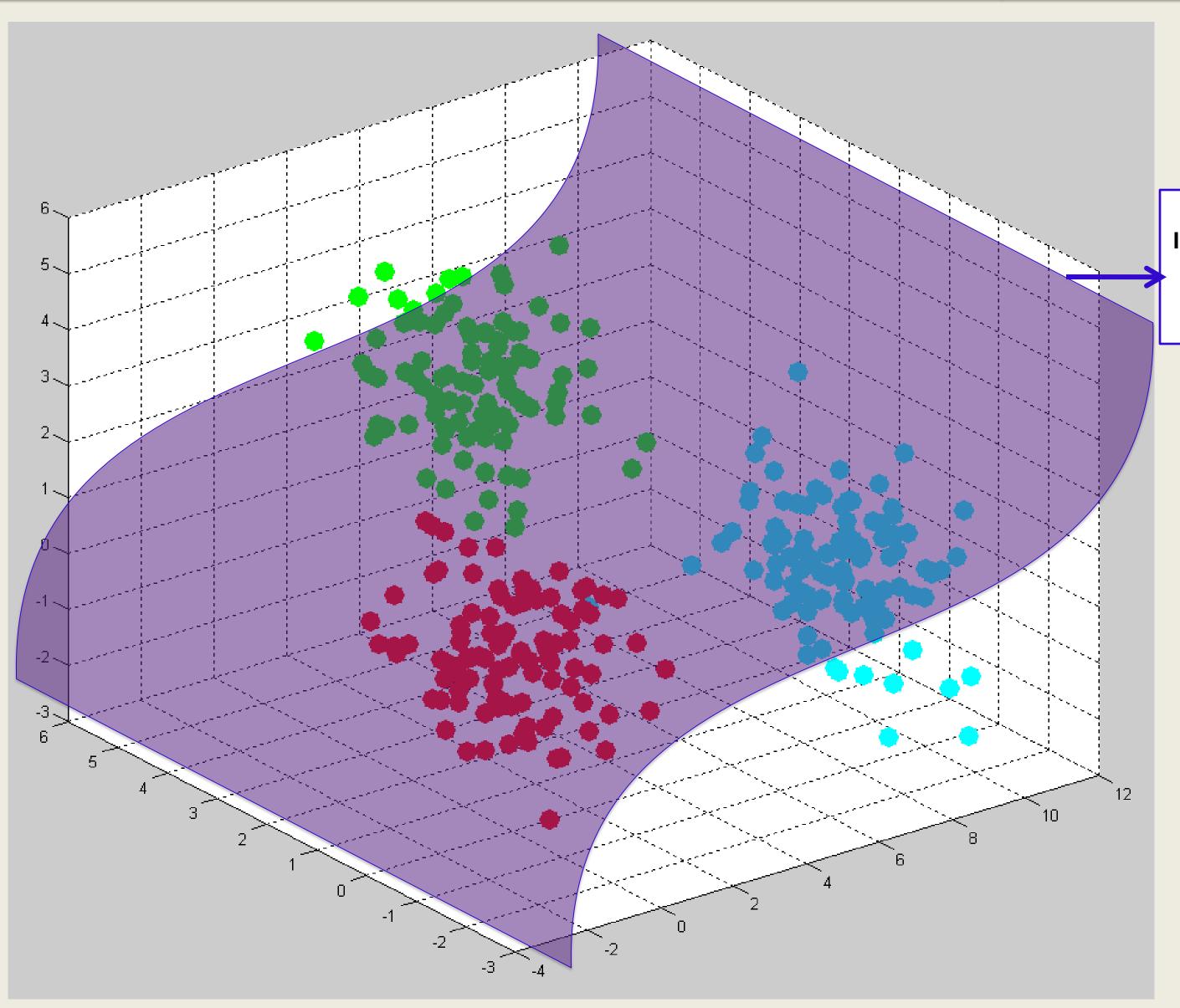
Latent Space and Principal Component





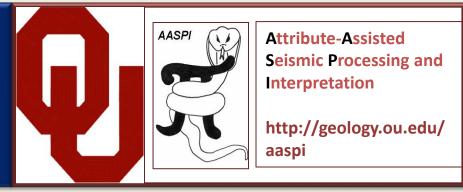
Latent Space and Principal Component





Latent Space – a lower dimensional space best representing the dataset

Latent Space and Principal Component



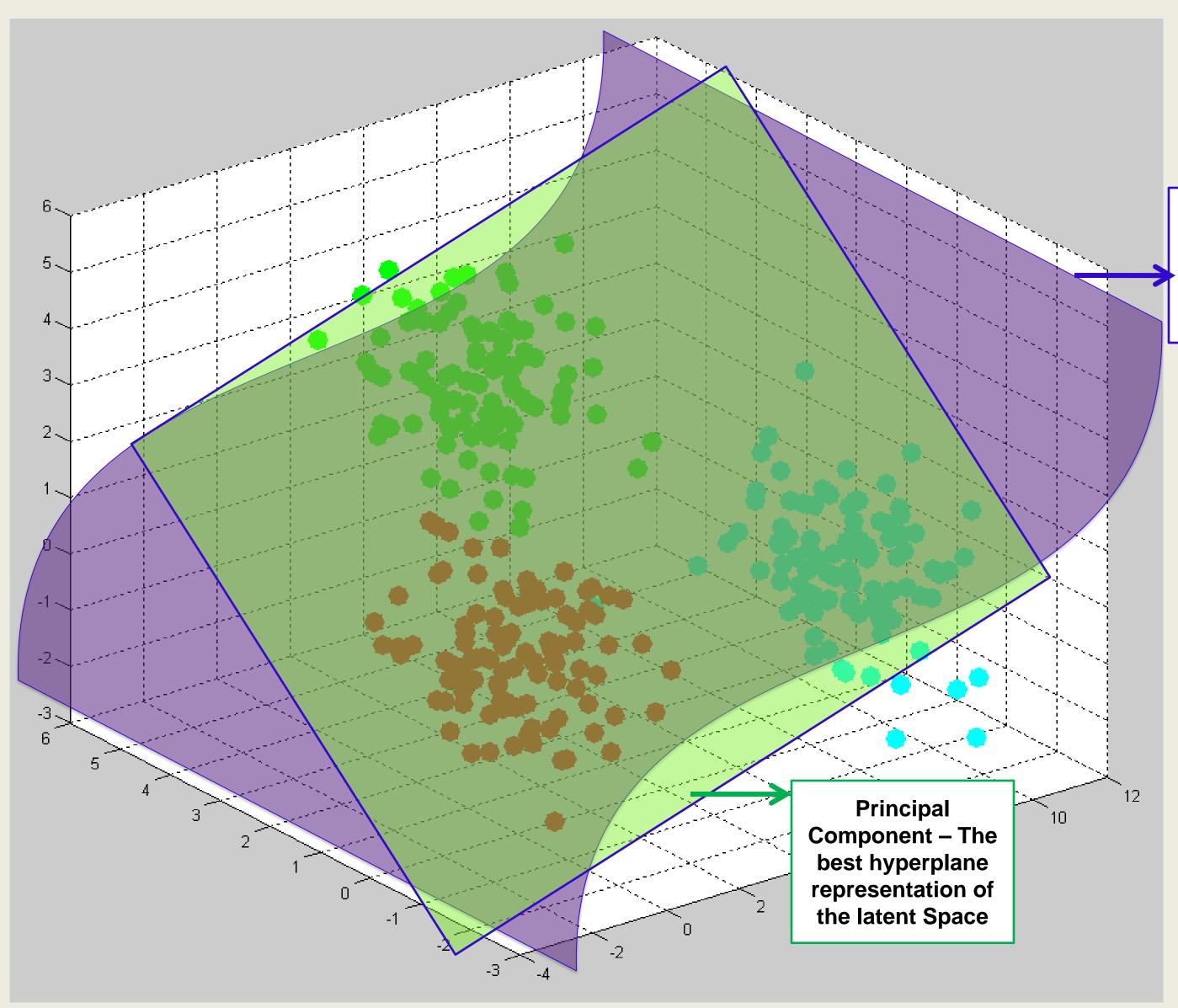
Latent Space – a

lower dimensional

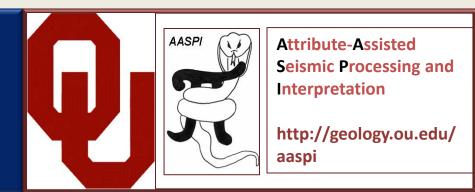
space best

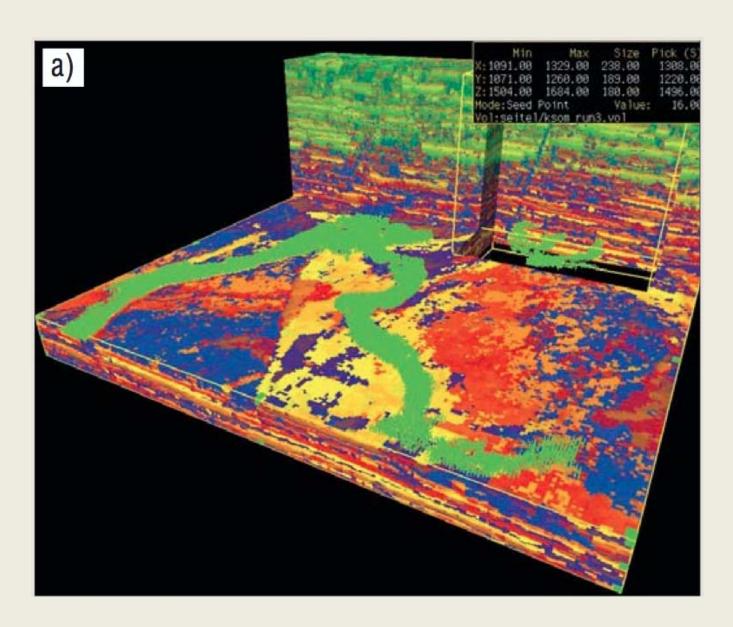
representing the

dataset

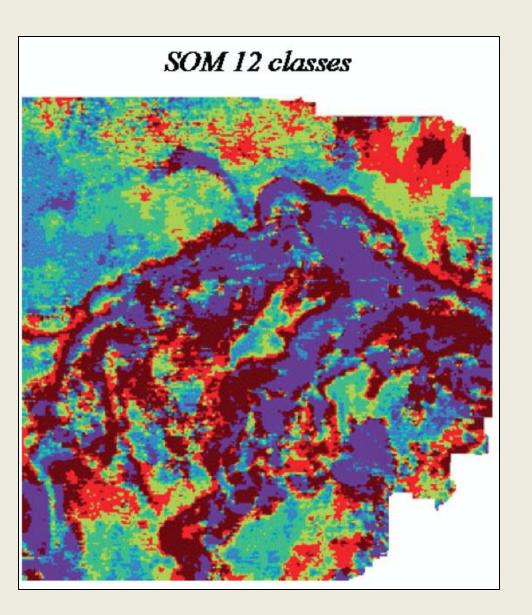


Examples of alternative cluster workflows





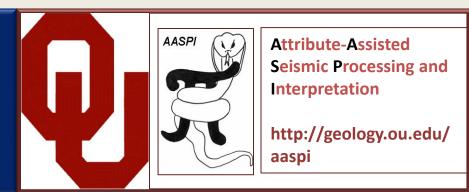
1. Each voxel contains a vector of attributes (e.g. Strecker et al., 2002)

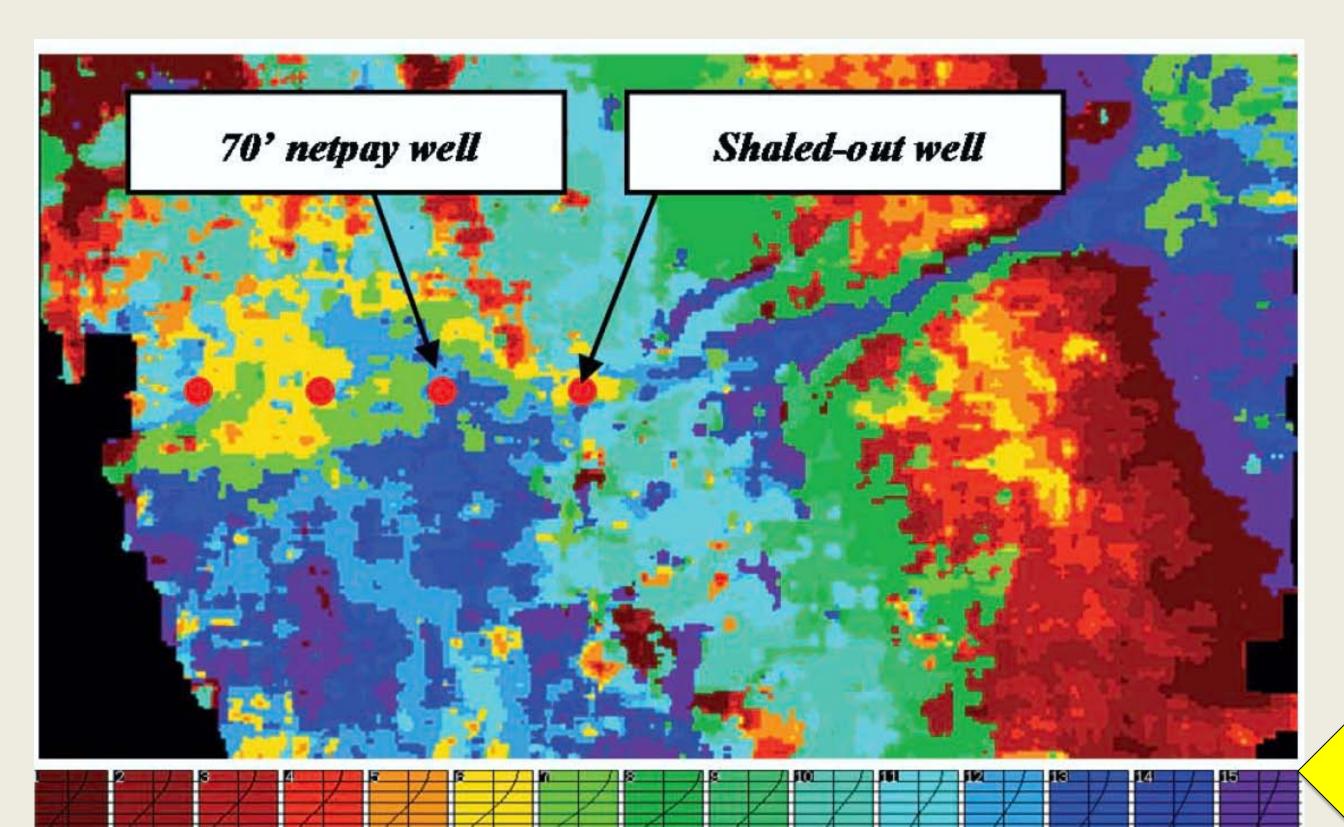


2. Each map location contains a vector of amplitudes (e.g. Coleou et al., 2003)

3. Each map location contains a vector of attributes (e.g. Stephens 2011)

Introduction: Waveform Classification



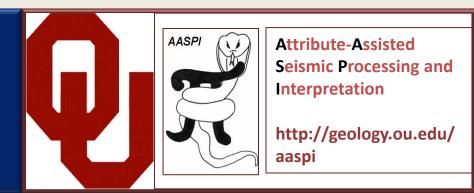


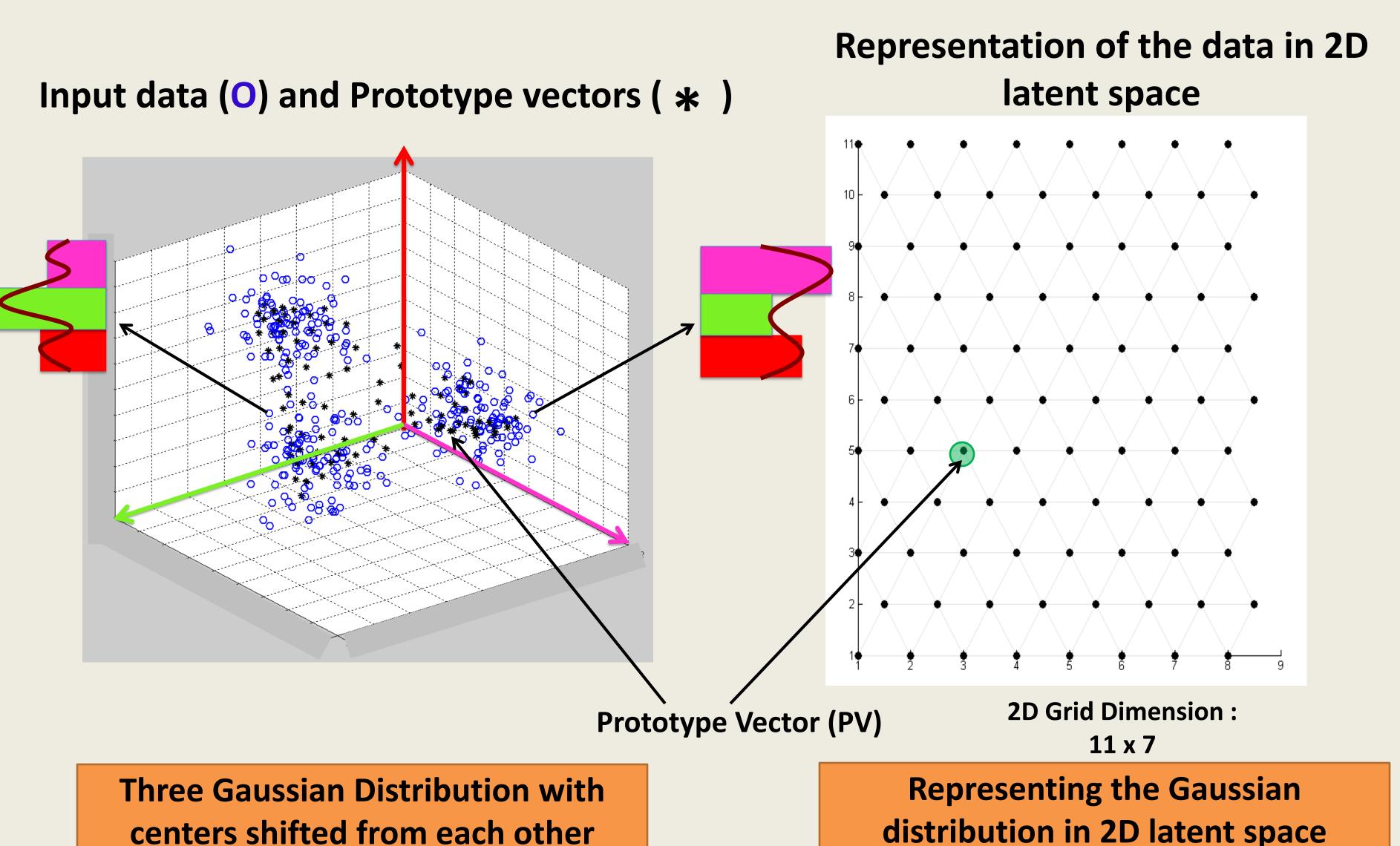
"Waveform classification" of the seismic amplitude data considering by coloring each x, y of the data correlating with the most similar waveform of the classes

Seismic amplitude of the 1st sample

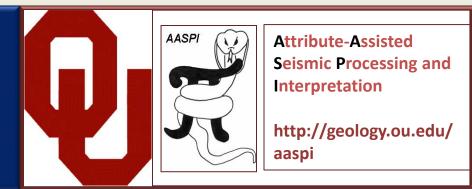
Seismic amplitude of the Nth sample

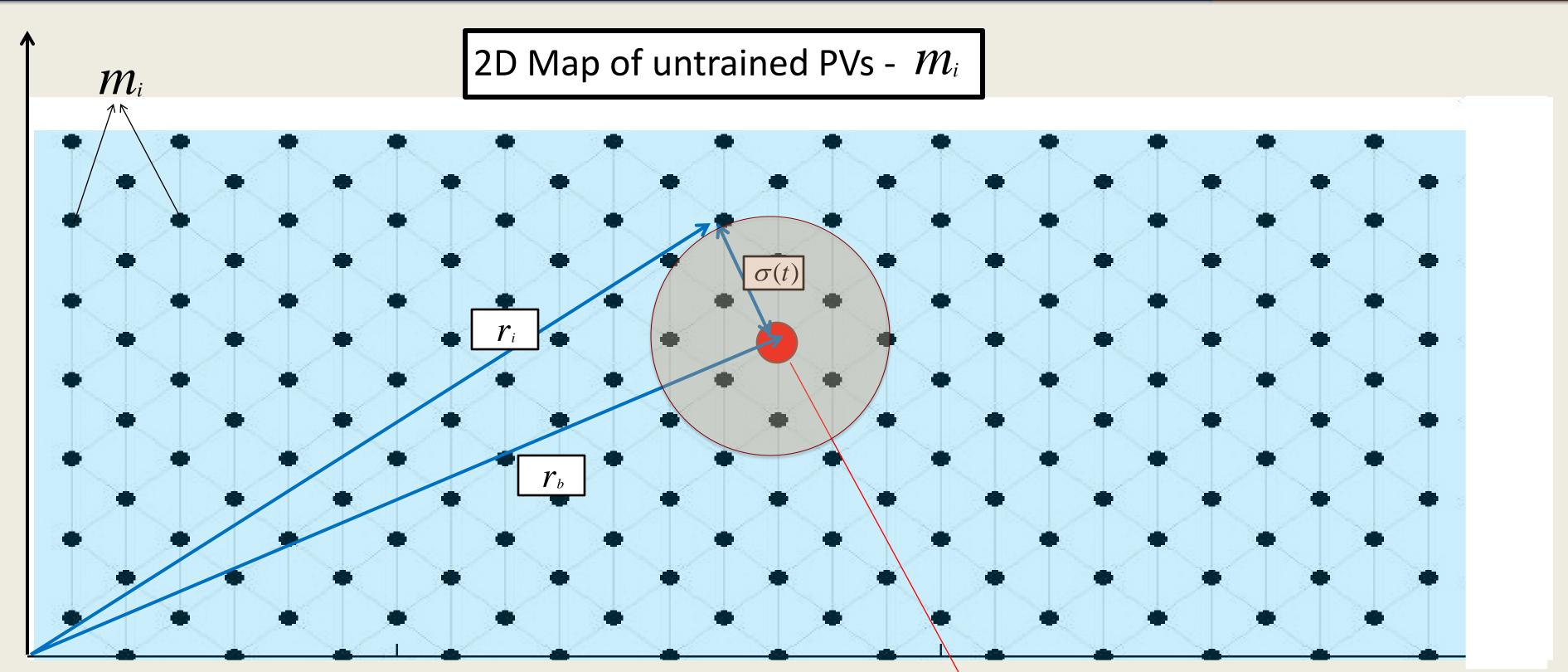
Kohonen Self Organizing Maps (SOM) analysis on three Gaussian distributions





Finding the Best Matching Prototype Vector – Step 1



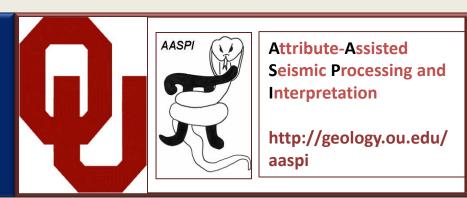


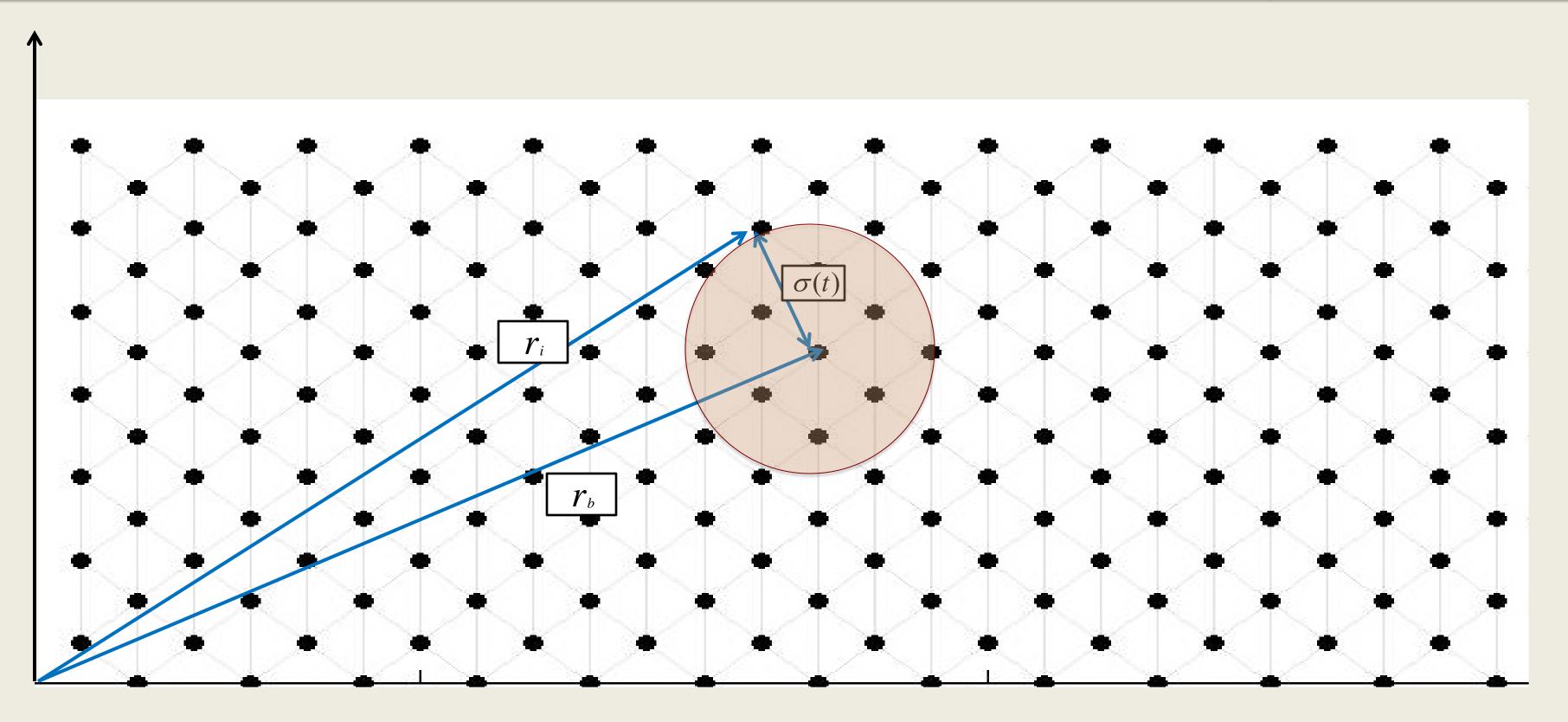
Find the minimum distance between the input data and PVs

$$||x - m_b|| = MIN\{||x - m_i||\}$$

 m_b Best matching Prototype Vector

Neighborhood training of the PVs – Step 2 Initial learning radius





Neighborhood Updating Rule

$$\boldsymbol{m}_{i}(t+1) = \boldsymbol{m}_{i}(t) + \alpha(t) \boldsymbol{h}_{bi}(t) [\boldsymbol{x} - \boldsymbol{m}_{i}(t)] \xrightarrow{if} \|\boldsymbol{r}_{i} - \boldsymbol{r}_{b}\| \leq \sigma(t)$$

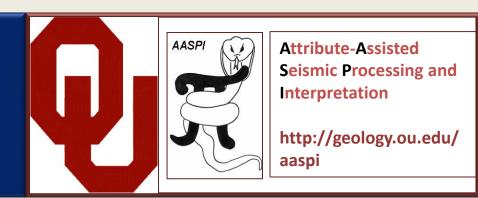
$$\boldsymbol{m}_{i}(t+1) = \boldsymbol{m}_{i}(t) \qquad \qquad \underbrace{\|\boldsymbol{r}_{i} - \boldsymbol{r}_{b}\| \geq \sigma(t)}$$

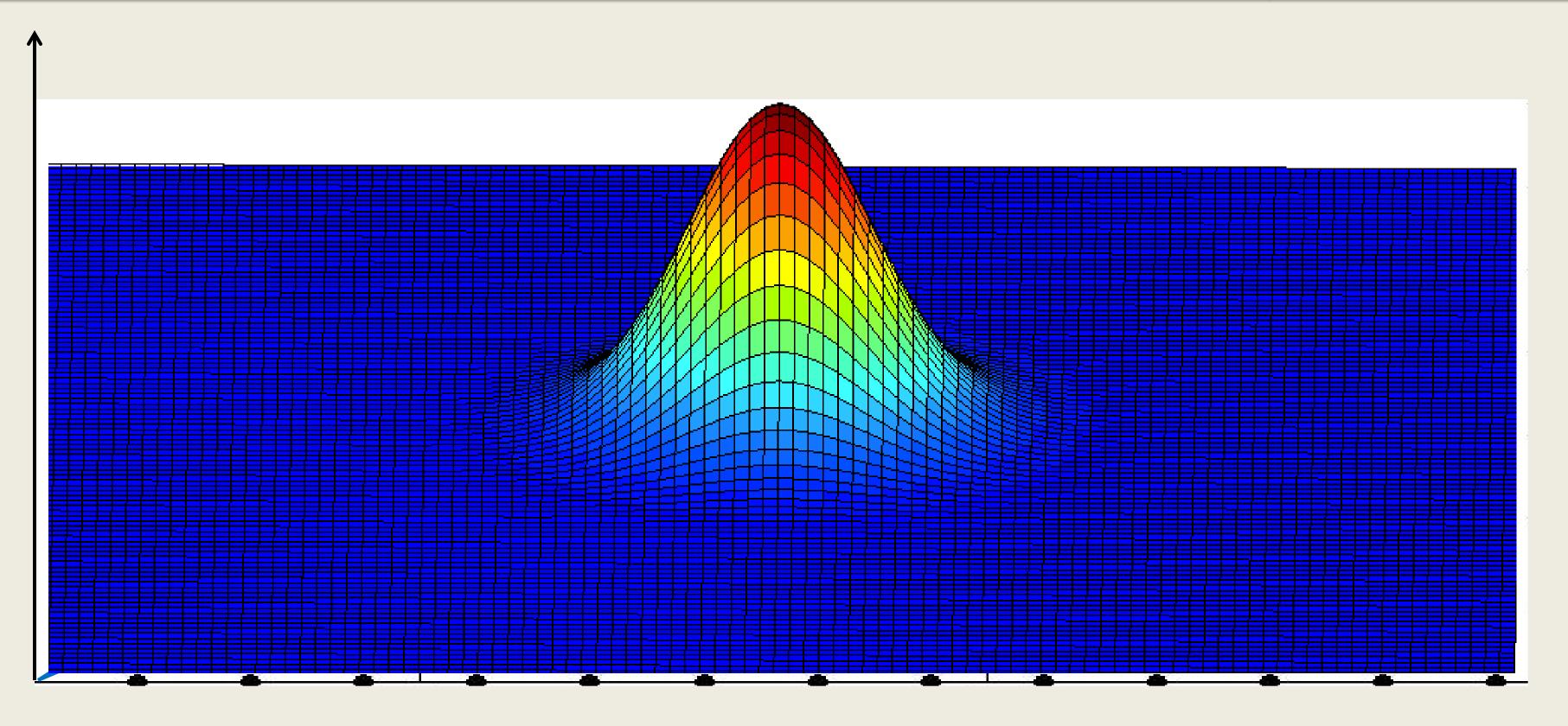
where,
$$h_{bi}(t) = e^{-\frac{\left\|r_i - r_b\right\|^2}{2\sigma^2(t)}}$$
 $lpha(t) = 0.1 e^{-(0.01t/T)}$

Neighborhood width

Iteration

Neighborhood training of the PVs – Step 2 Initial learning radius





Neighborhood Updating Rule

$$m_{i}(t+1) = m_{i}(t) + \alpha(t) h_{bi}(t) [x - m_{i}(t)] \xrightarrow{if} || \mathbf{r}_{i} - \mathbf{r}_{b}|| \le \sigma(t)$$

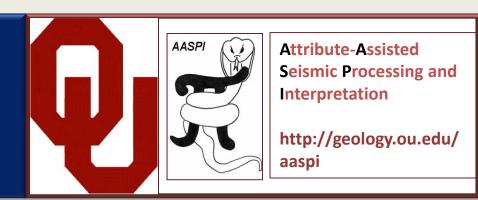
$$m_{i}(t+1) = m_{i}(t) \qquad \qquad \frac{if}{||\mathbf{r}_{i} - \mathbf{r}_{b}||} \ge \sigma(t)$$

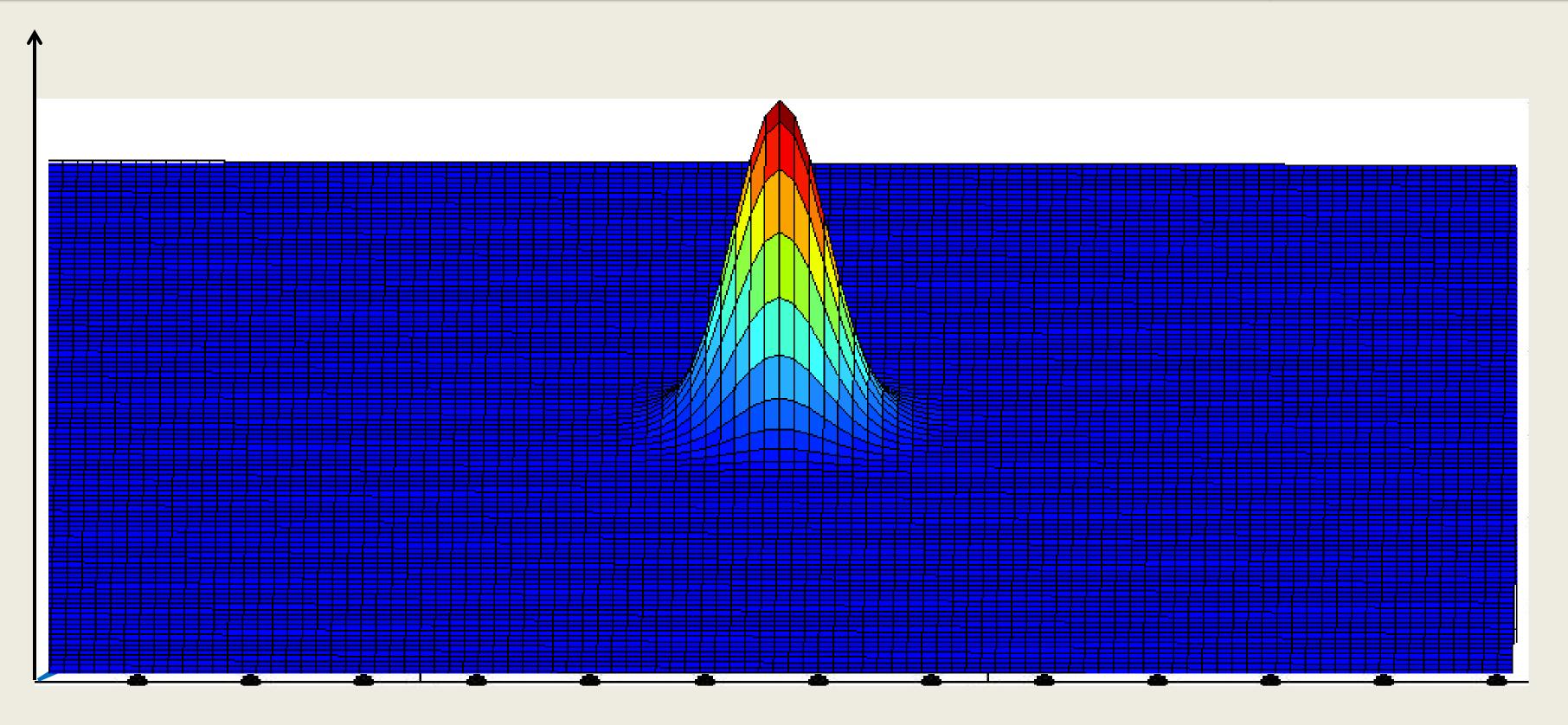
where,
$$h_{bi}(t) = e^{-\frac{\left\|r_i - r_b\right\|^2}{2\sigma^2(t)}}$$
 $lpha(t) = 0.1e^{-(0.01t/T)}$

Neighborhood width

Iteration

Neighborhood training of the PVs – Step 2 Initial learning radius – decreasing with iterations





Neighborhood Updating Rule

$$m_{i}(t+1) = m_{i}(t) + \alpha(t) h_{bi}(t) [x - m_{i}(t)] \xrightarrow{if} \| \mathbf{r}_{i} - \mathbf{r}_{b} \| \leq \sigma(t)$$

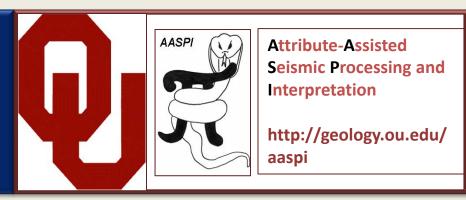
$$m_{i}(t+1) = m_{i}(t) \qquad \qquad \underbrace{\| \mathbf{r}_{i} - \mathbf{r}_{b} \|} \geq \sigma(t)$$

where,
$$h_{bi}(t) = e^{-\frac{\left\|r_i^- r_b\right\|^2}{2\sigma^2(t)}}$$
 $lpha(t) = 0.1e^{-(0.01t/T)}$

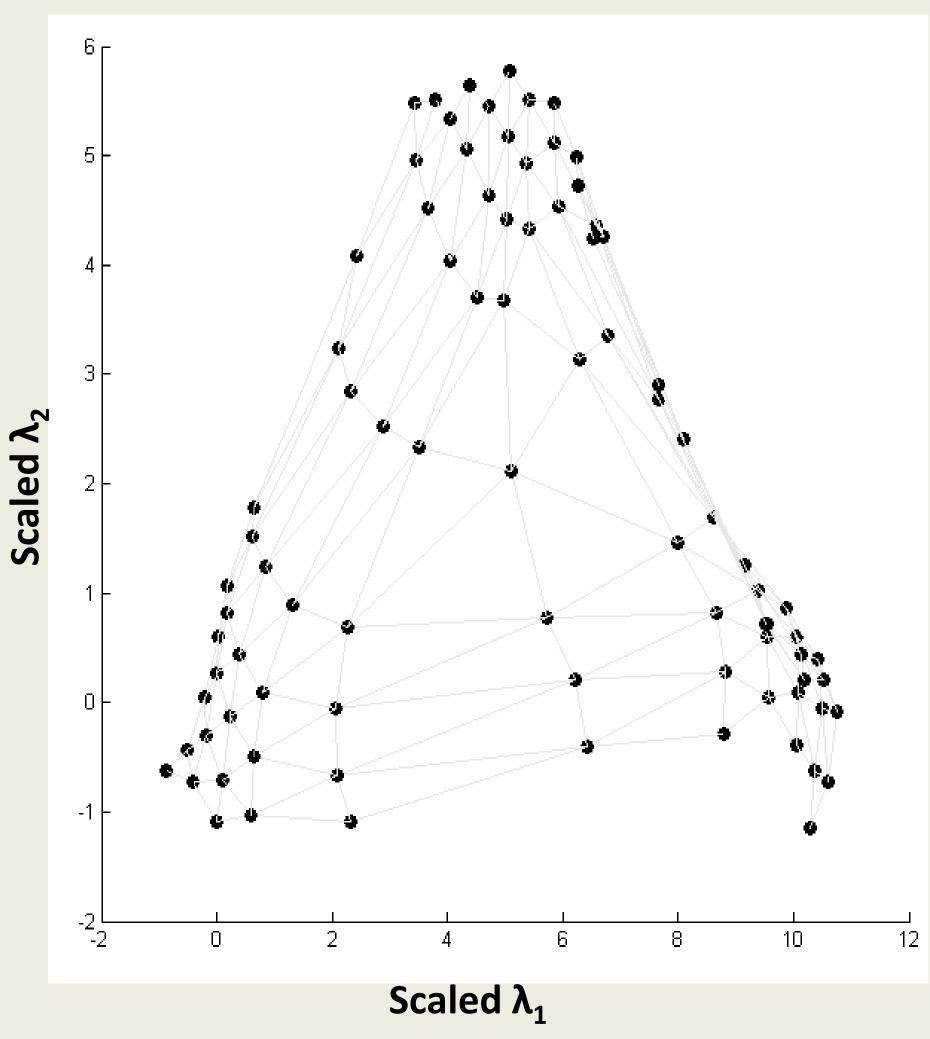
Neighborhood width

Iteration

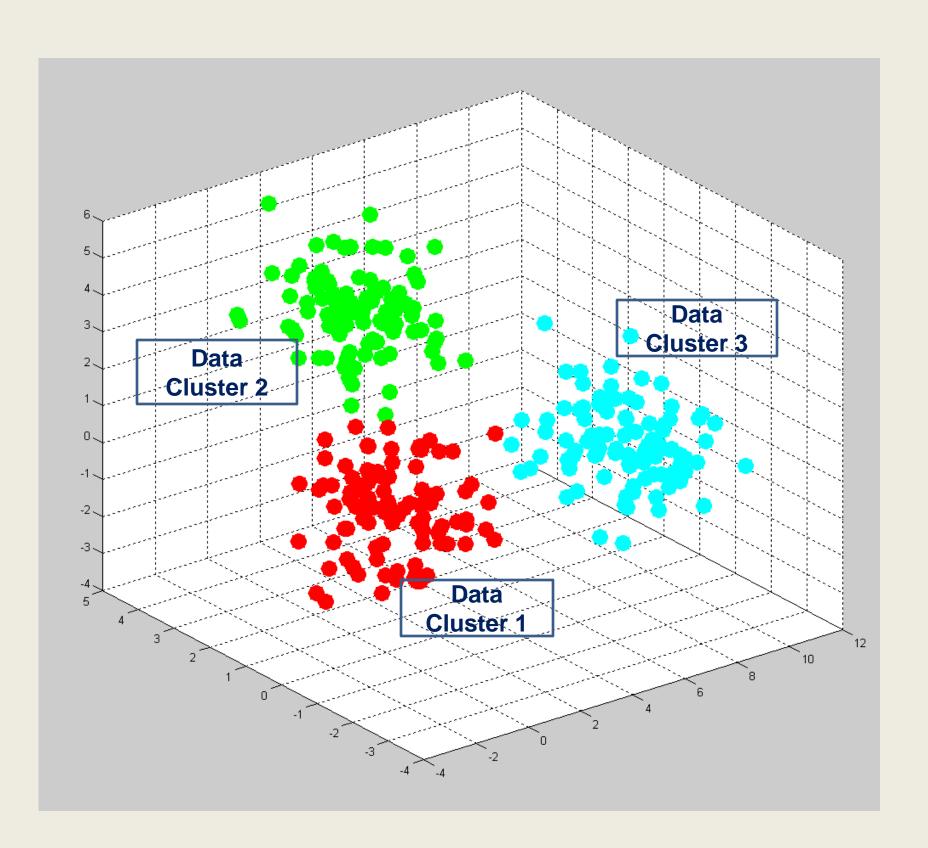
Classification of the input data



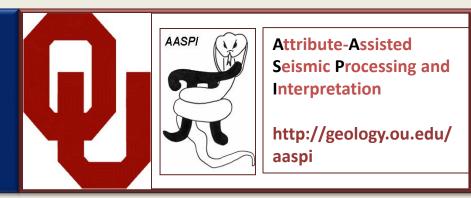
Trained PVs

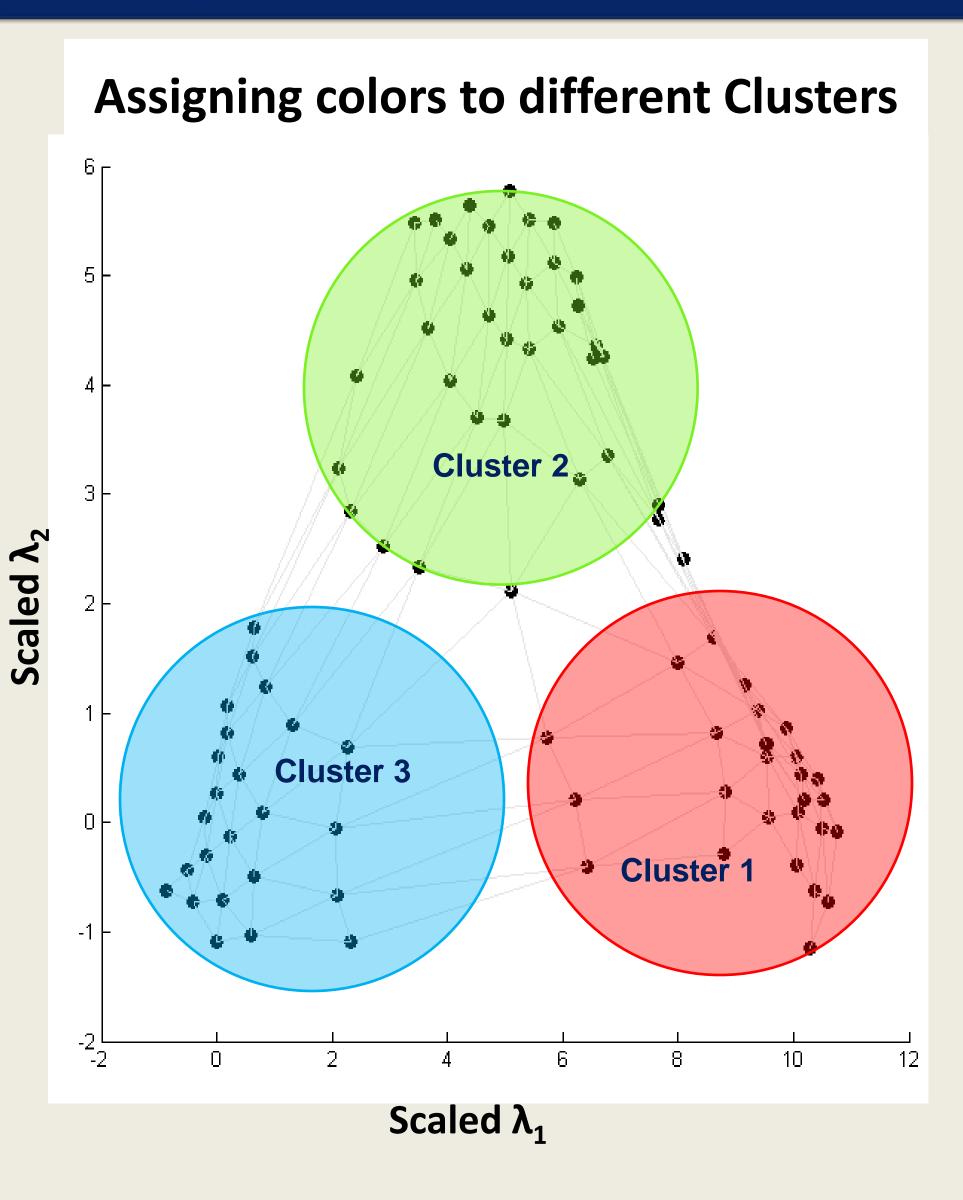


Color-coding the input according to the trained clusters

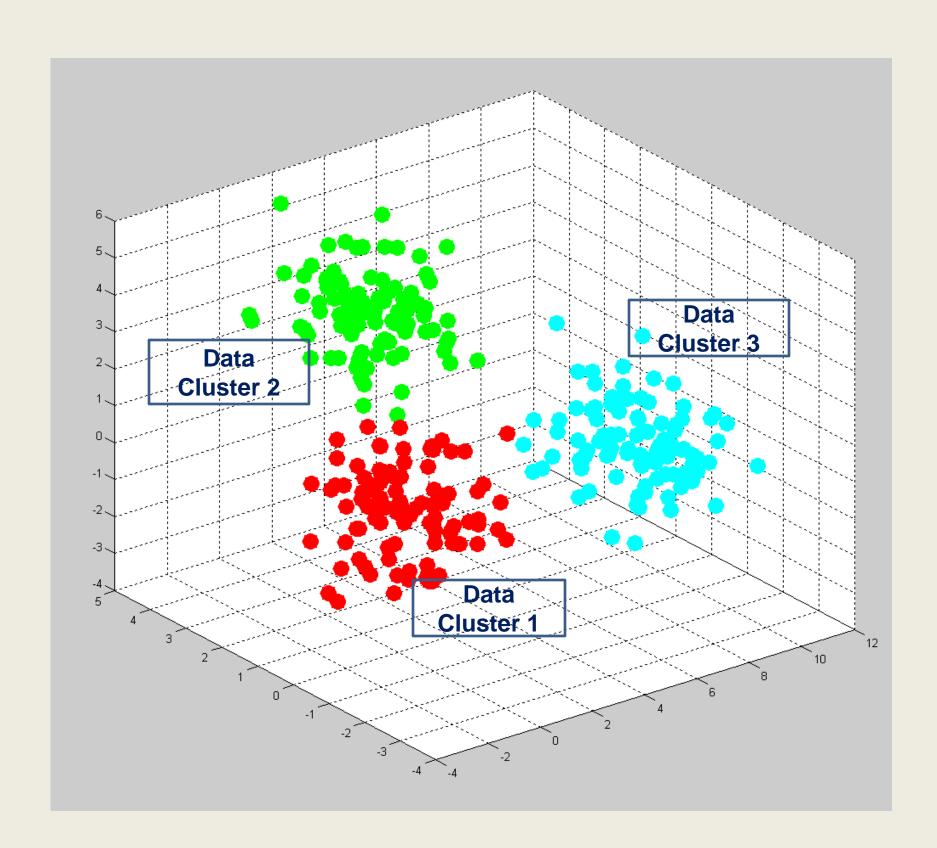


Classification of the input data

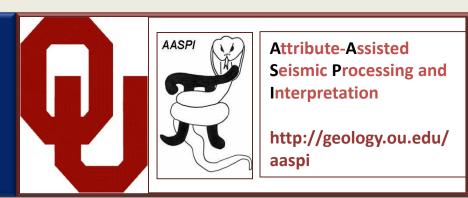




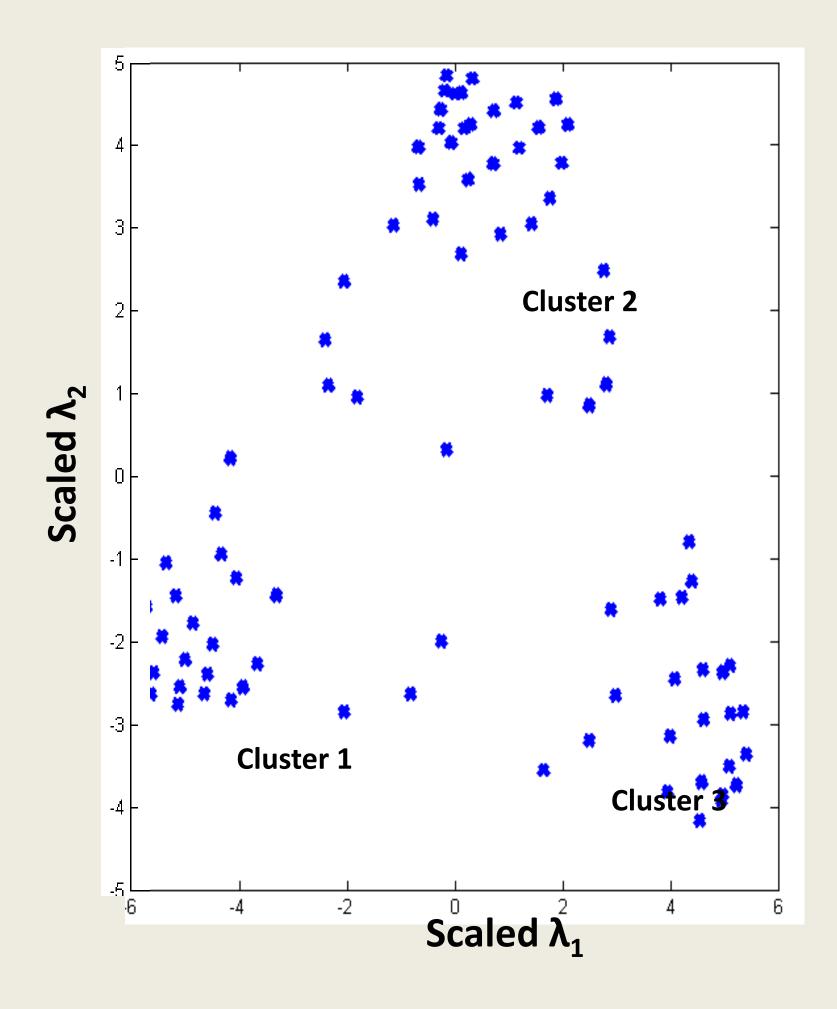
Color-coding the input according to the trained clusters



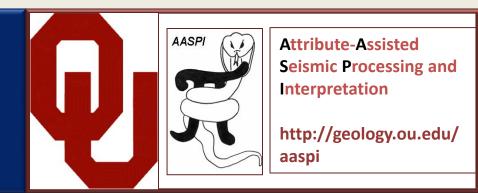
Visualization scheme used in our analysis: Assigning 2D gradational HSV Colors to the clustered PVs



Trained PVs



Visualization scheme used in our analysis: Assigning 2D gradational HSV Colors to the clustered PVs

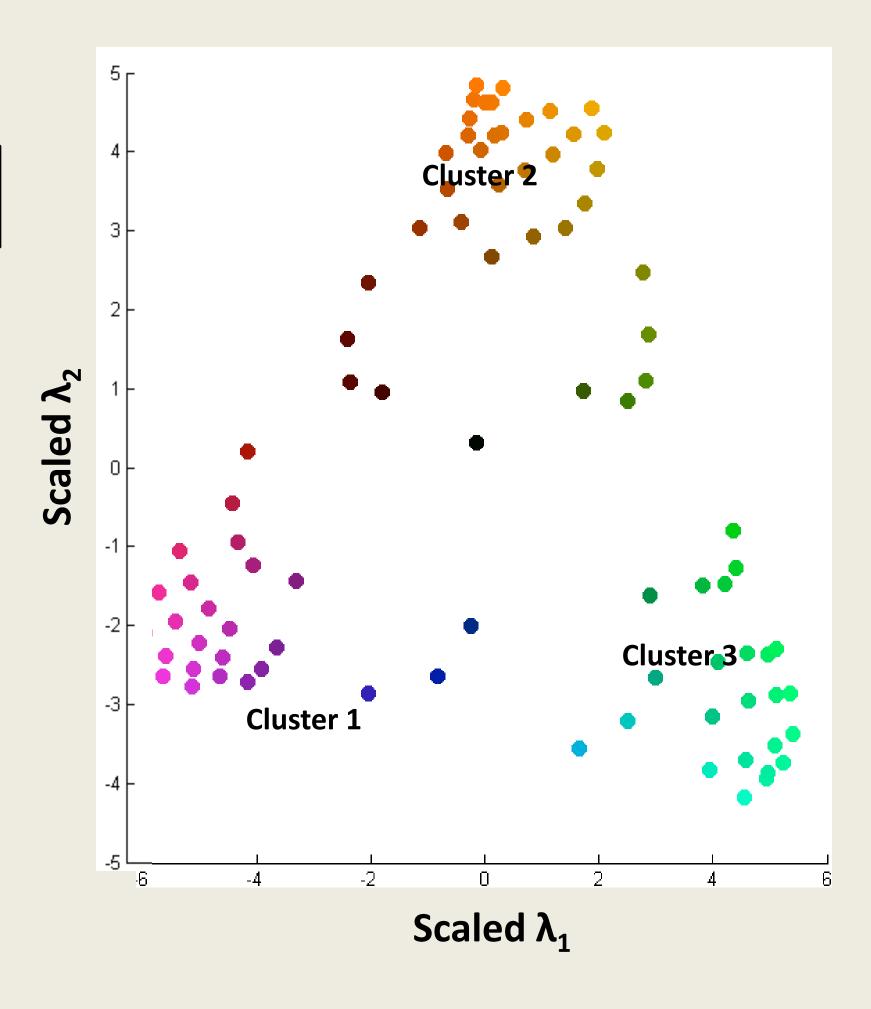


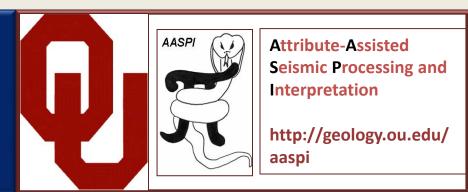
Trained PVs

Hue(H)= $tan^{-1}\frac{(v-\overline{v})}{(v-\overline{v})}$ HScaled λ_2 Scaled λ_1

Saturation (S)= $\sqrt{\left[(\mu-\overline{\mu})^2+(\nu-\overline{\nu})^2\right]}$

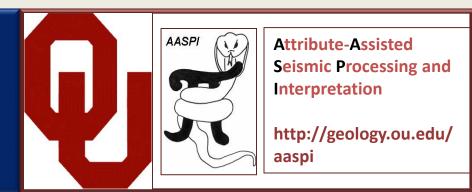
HSV colors assigned

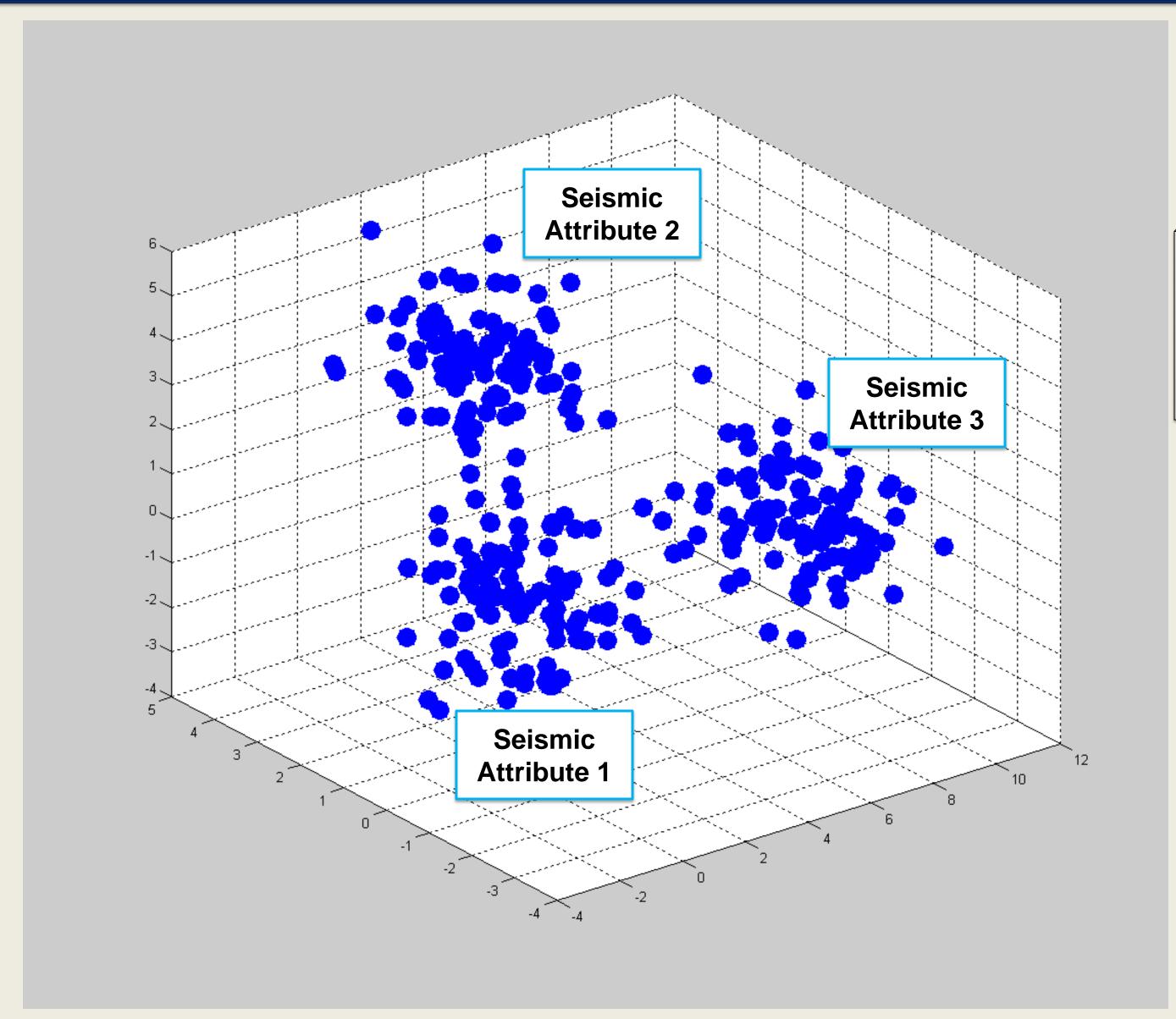




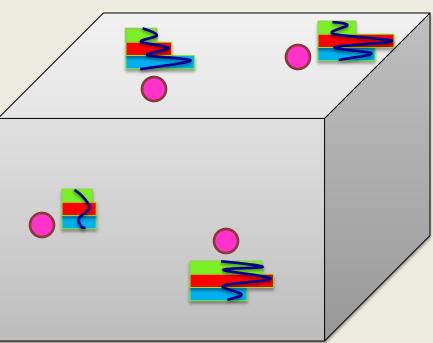
3D multi-attribute SOM clustering analysis

3D SOM Analysis – a schematic





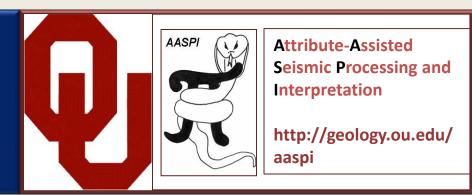
3D Seismic Survey



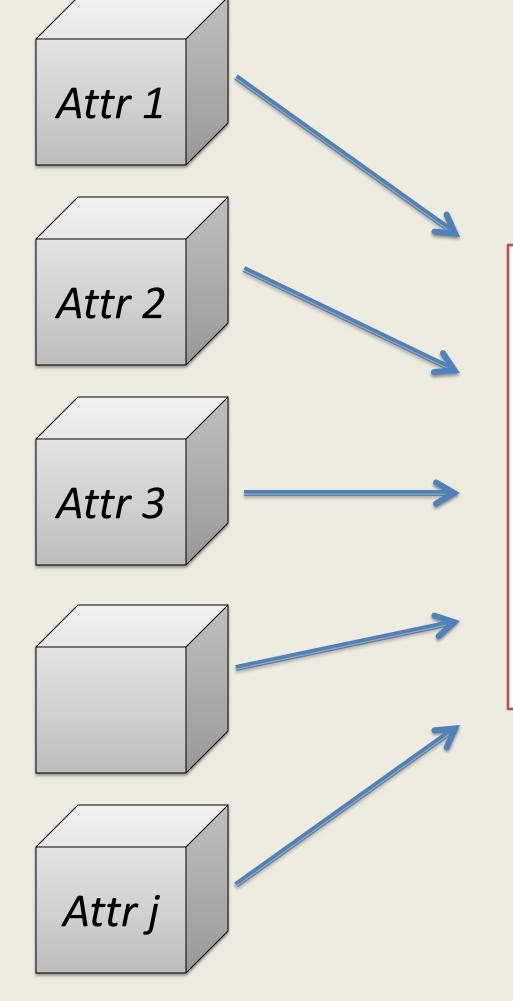
Thus each location of the 3D data can be represented by a vector Ψ_{ij}

where i=n traces & j=1,2,3

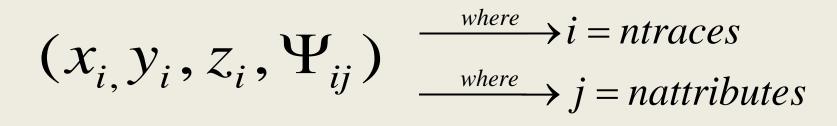
Step 1: Seismic Data Normalization







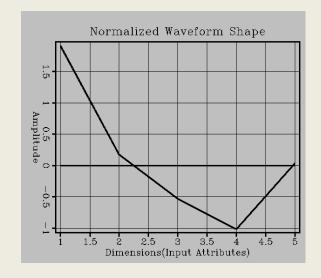
Normalize and store the different attributes values to each sample location (x, y, z) in the dataset

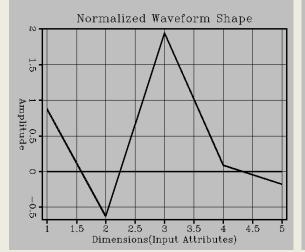


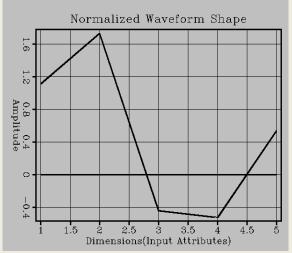
"4D dataset"

With each (x, y, z) location is a j dimensional vector equal to the j number of input attributes taken

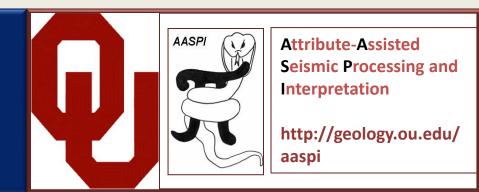
Normalized waveform shapes Ψ_{ij} at (x_i, y_i, z_i)







Step 2: Creating the initial 2D map of PVs



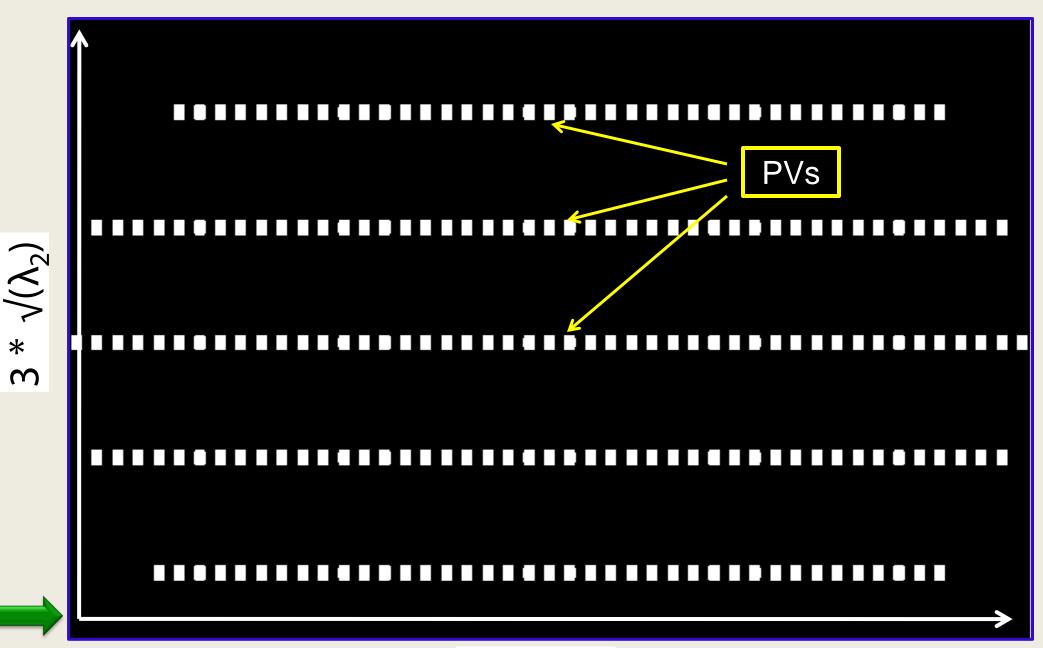
Form a Covariance Matrix with the "4D dataset"

Principal Component analysis with the "4D dataset"

Calculate the 1st two eigenvalues and eigenvectors

Project the 2 eigenvectors into this 2D latent space defined by the 2 eigenvalues

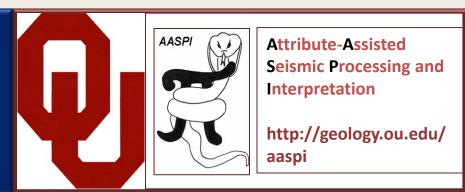
2D Map of Untrained PVs

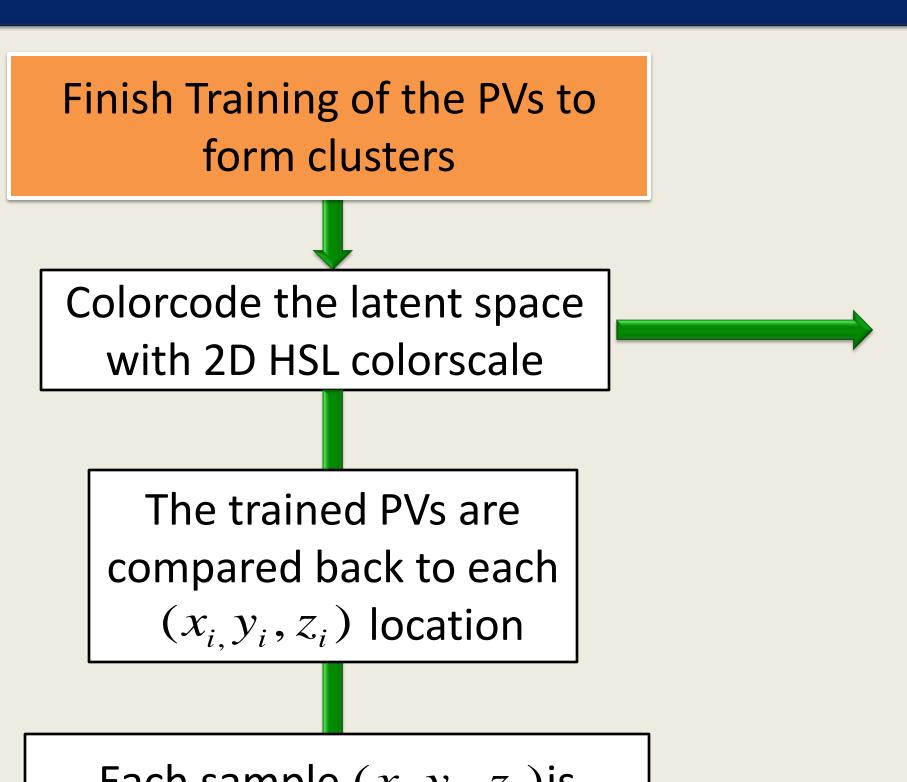


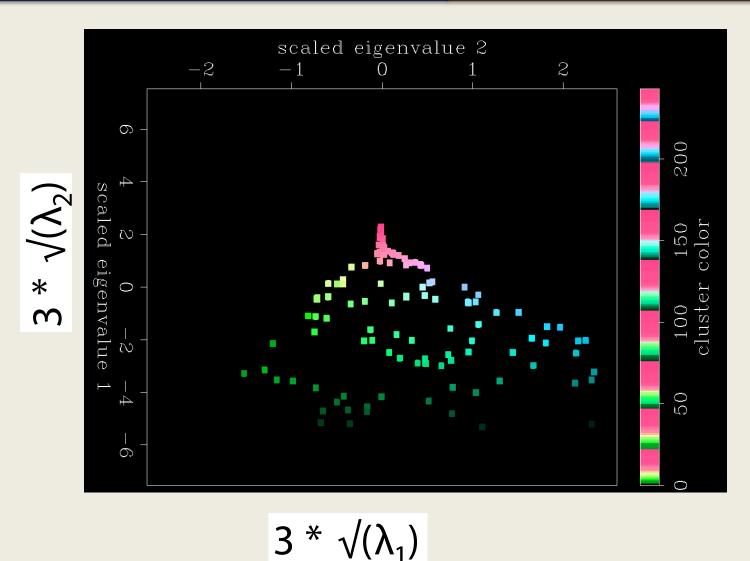
$$3 * \sqrt{(\lambda_1)}$$

Form a 2D map of initial prototype vectors which will be trained with SOM neighborhood training rule

Step 3: Creating the seismic facies volume

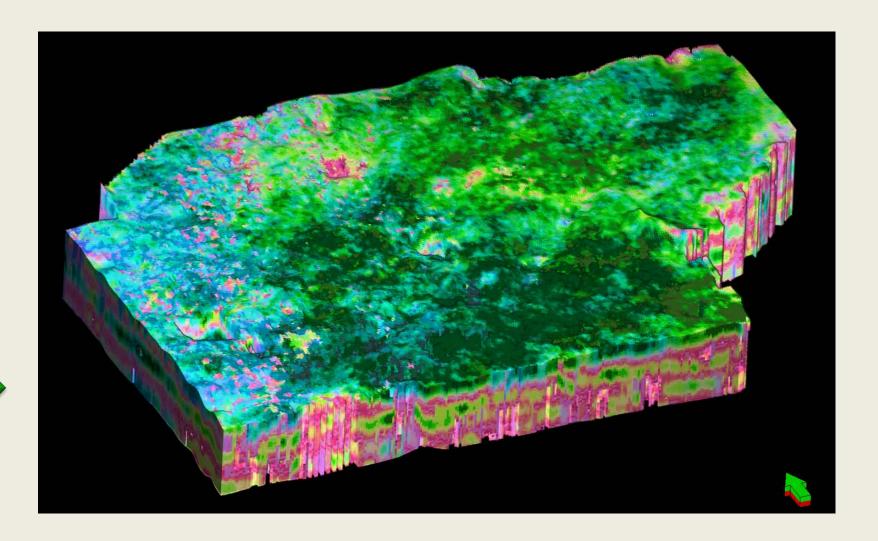


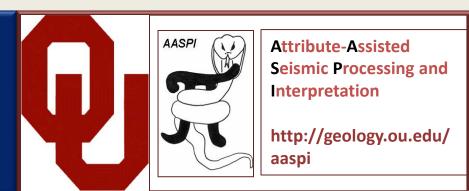




Each sample (x_i, y_i, z_i) is colorcoded according to the most similar trained PVs

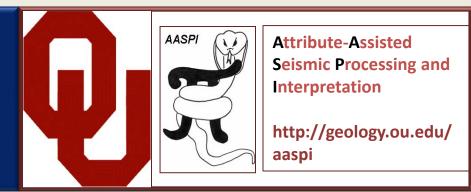
Output Seismic Facies
3D Volume



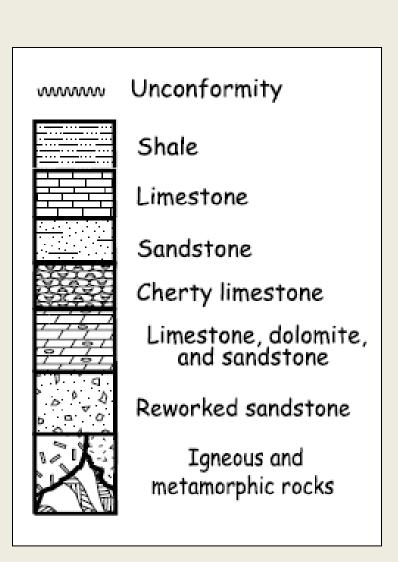


3D Multi-attribute cluster analysis on Osage County 3D dataset

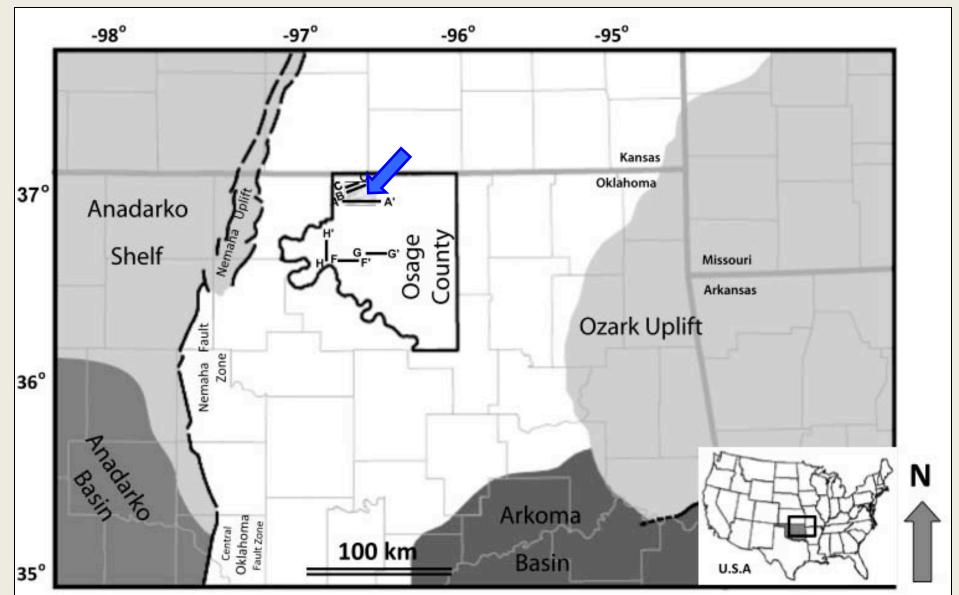
General Stratigraphy of Osage County



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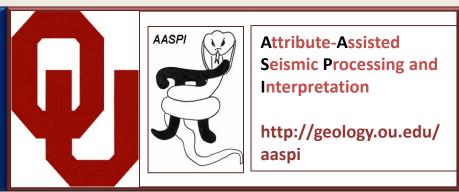
## Major Geologic province in Oklahoma, Osage County and survey location



Modified from Northcutt and Campbell (1995)

Zeller (1968), Thorman and Hibpshman (1979) and Franseen et al., 2004

## 3D Multi-attribute Analysis – Case 1



Main features to identify: Facies distribution within the survey.

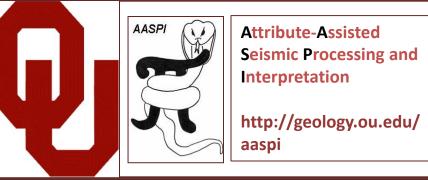
## Volumetric attributes: 3D volumes used for the analysis

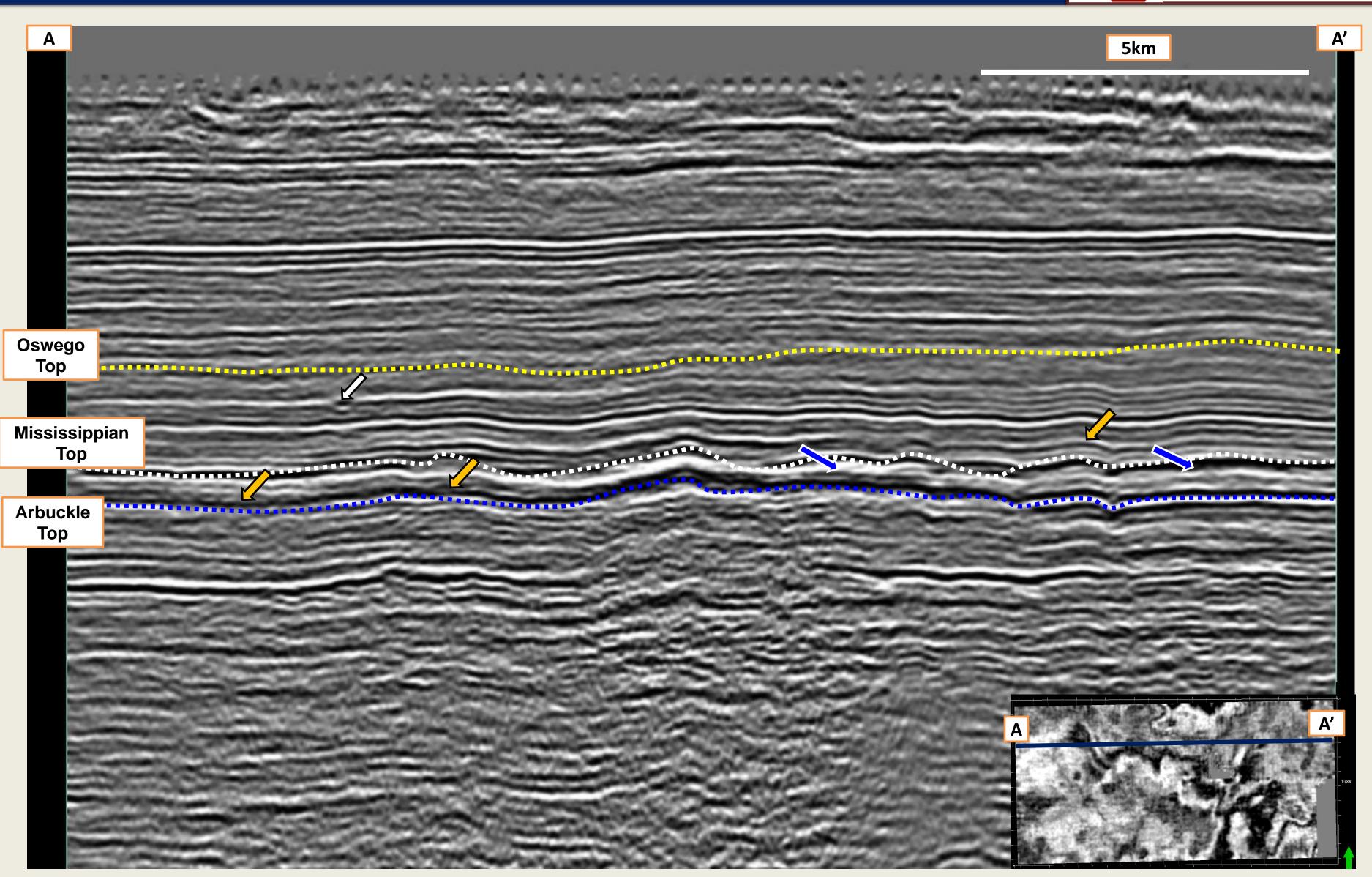
- 1) Peak frequency Magnitude
  - 2) Sobel filter similarity
    - 3) Coherent Energy
- 4) Texture Attribute 1 (GLCM Variance)
- 5) Texture Attribute 2 (GLCM Entropy)

3D Multiattribute Analysis and coloring of the each sample location  $(x_i, y_i, z_i)$ 

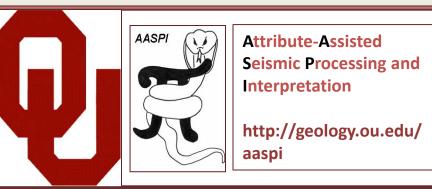
Output 3D seismic Facies Volume

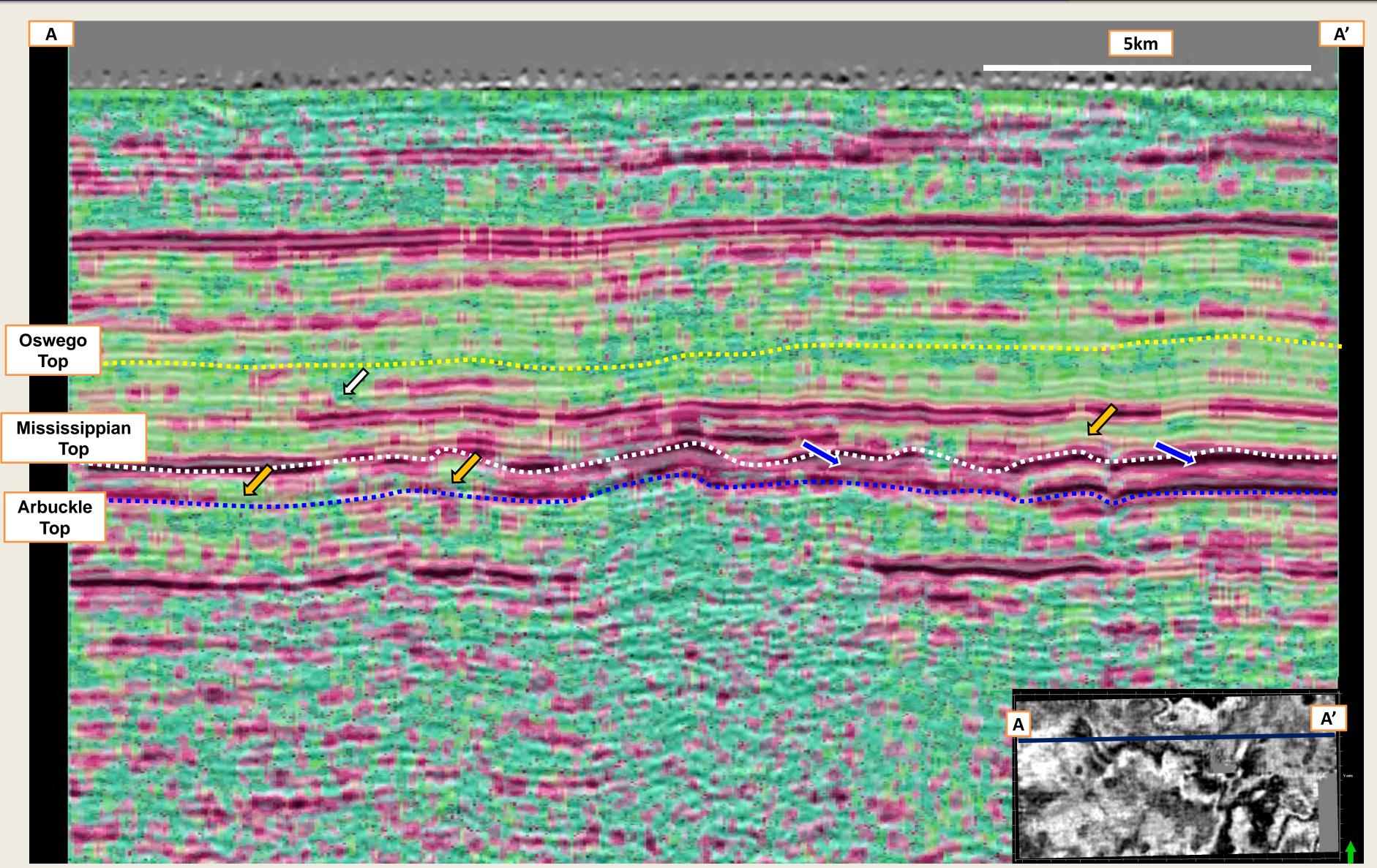
#### **Seismic Section**



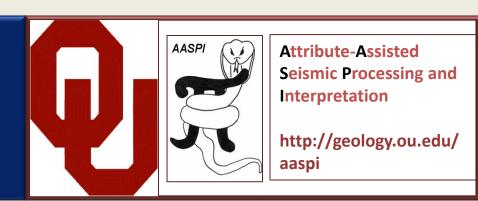


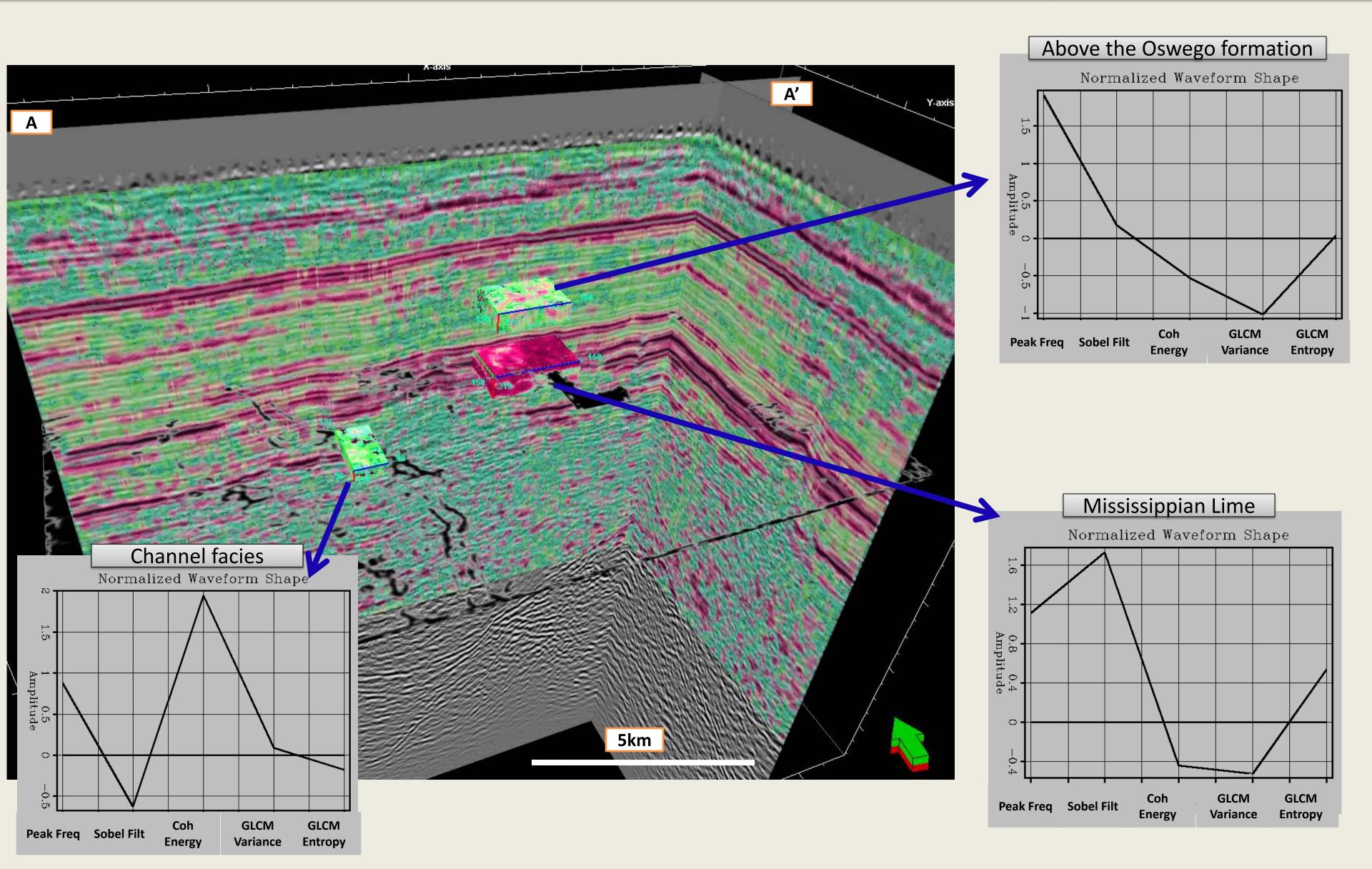
# Seismic Section overlayed by the seismic facies classified section



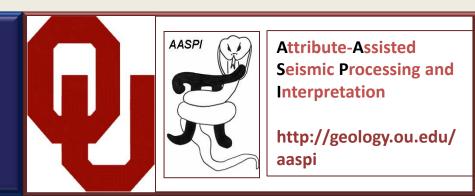


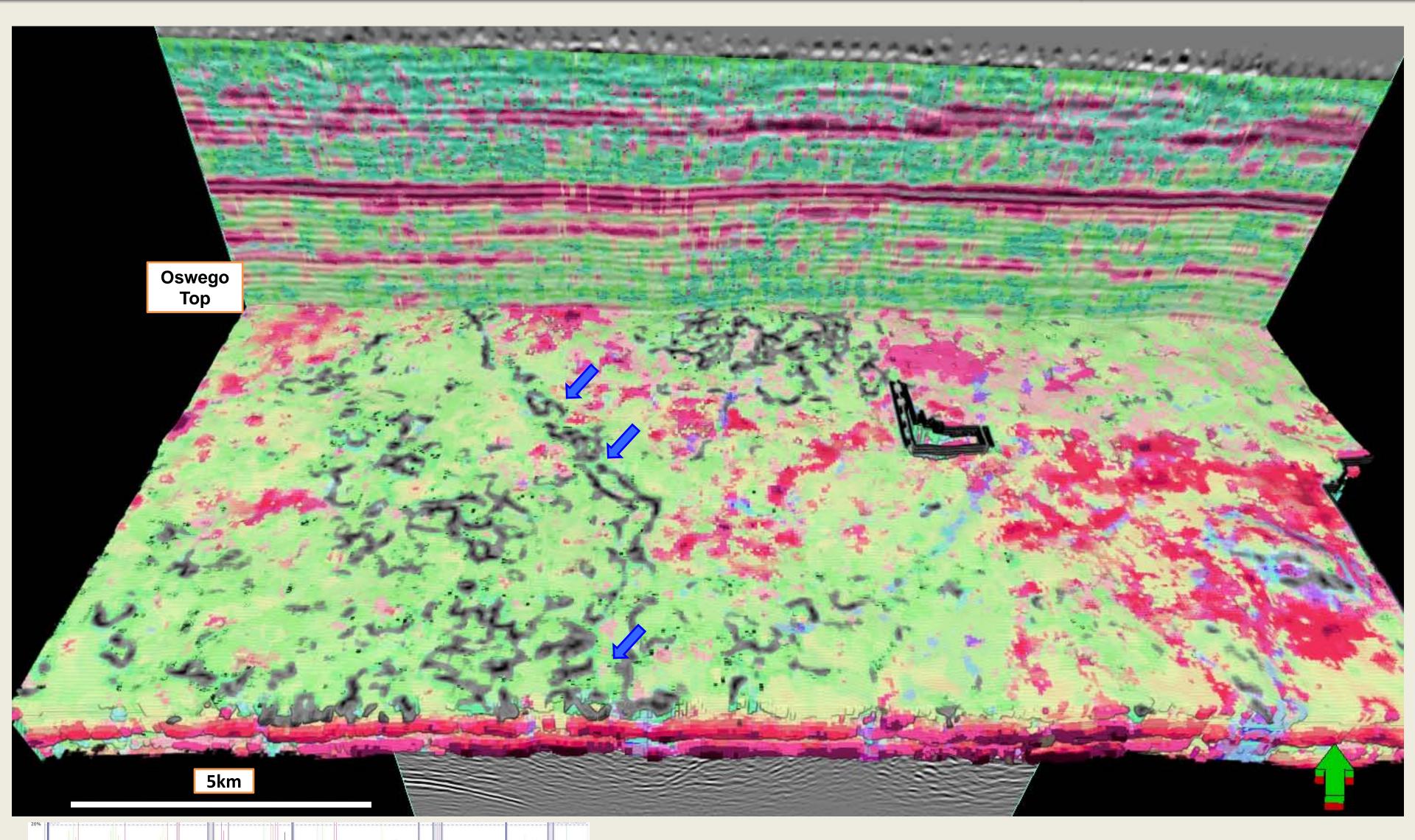
## 3D multiattribute analysis : Average waveforms of different formations



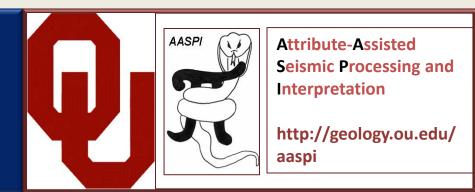


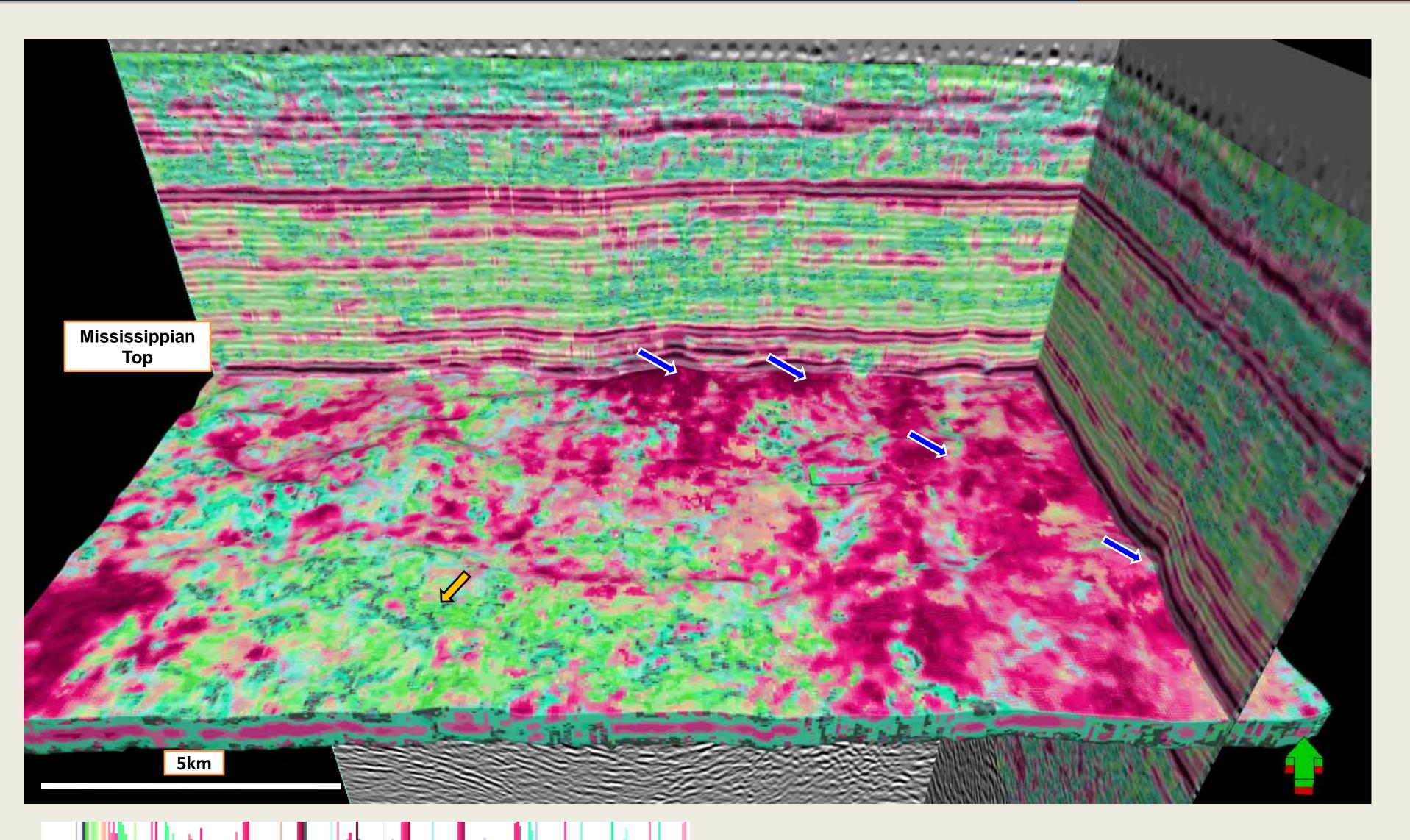
# The seismic facies volume overlain by the coherency cube



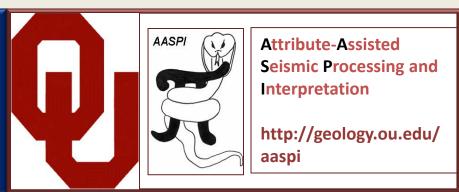


# 3D seismic facies volume of the Mississippian Lime and the Chert formation





## 3D Multi-attribute Analysis – Case 2



Main features to identify: Different lithological settings within the survey.

Comparing the seismic facies volume from the previous analysis with a different set of input attributes

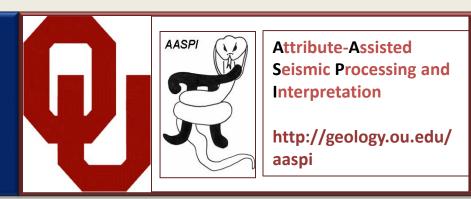
Volumetric attributes: 3D volumes used for the analysis

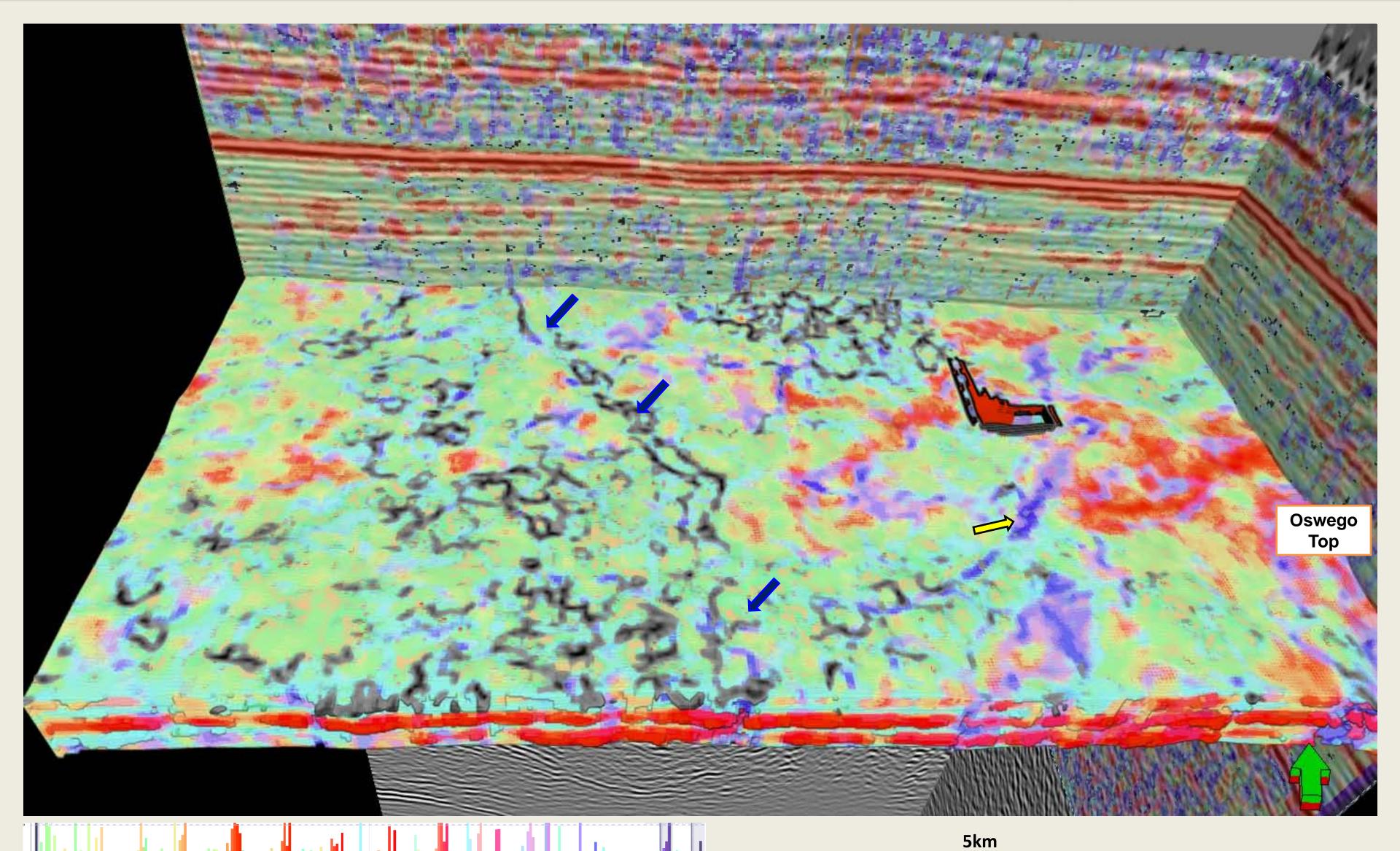
- 1) Reflector Convergence magnitude
  - 2) Coherency
  - 3) Coherent Energy
    - 4) Dip Magnitude

3D Multiattribute Analysis and coloring of the each sample location  $(x_i, y_i, z_i)$ 

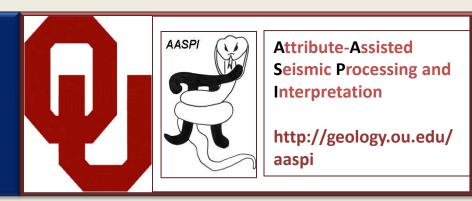
Output 3D seismic Facies Volume

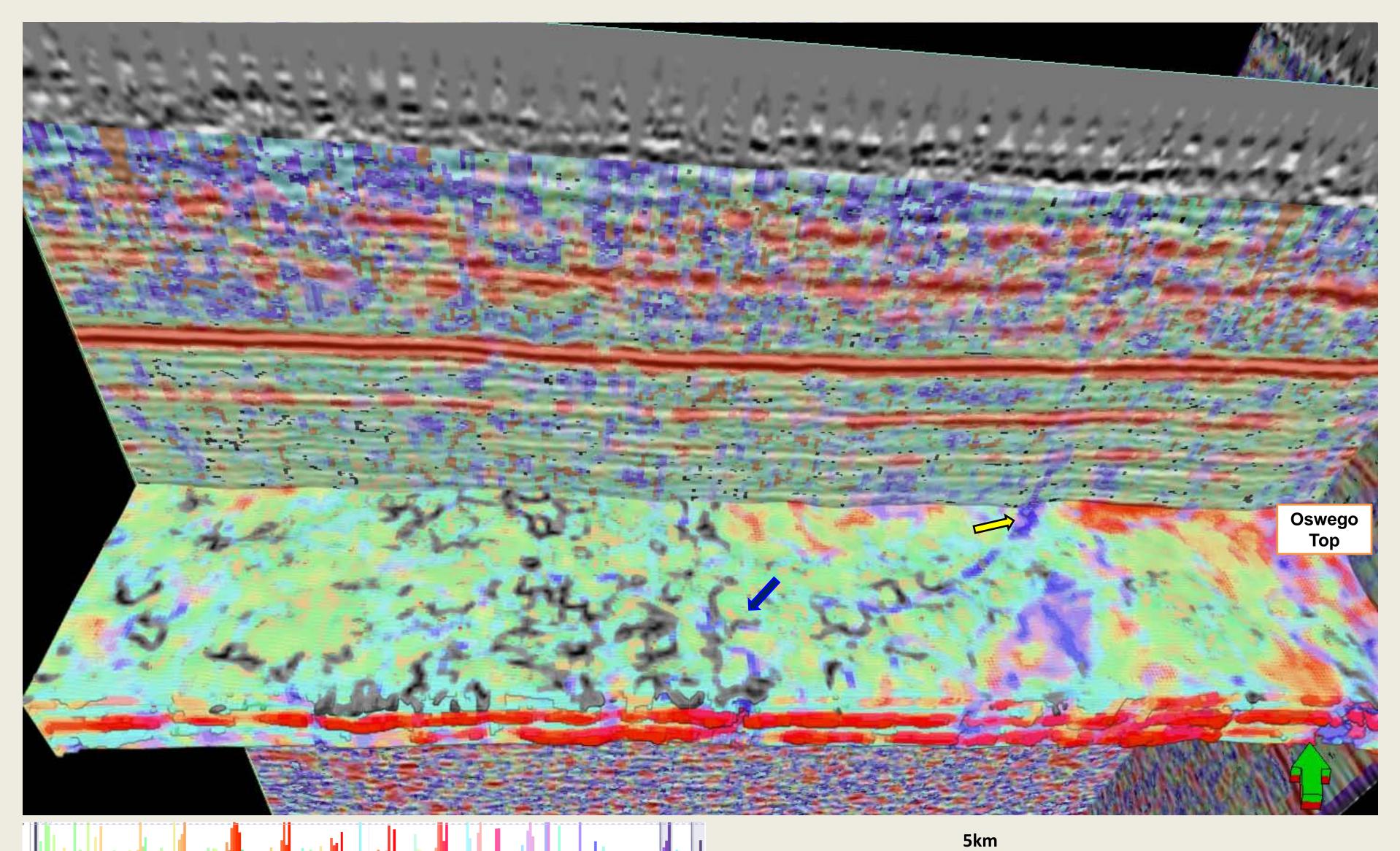
# 3D seismic facies volume below the Oswego formation



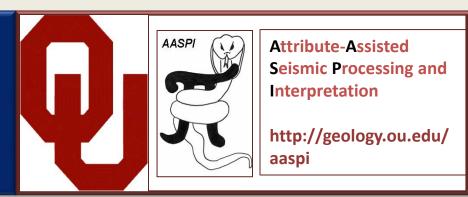


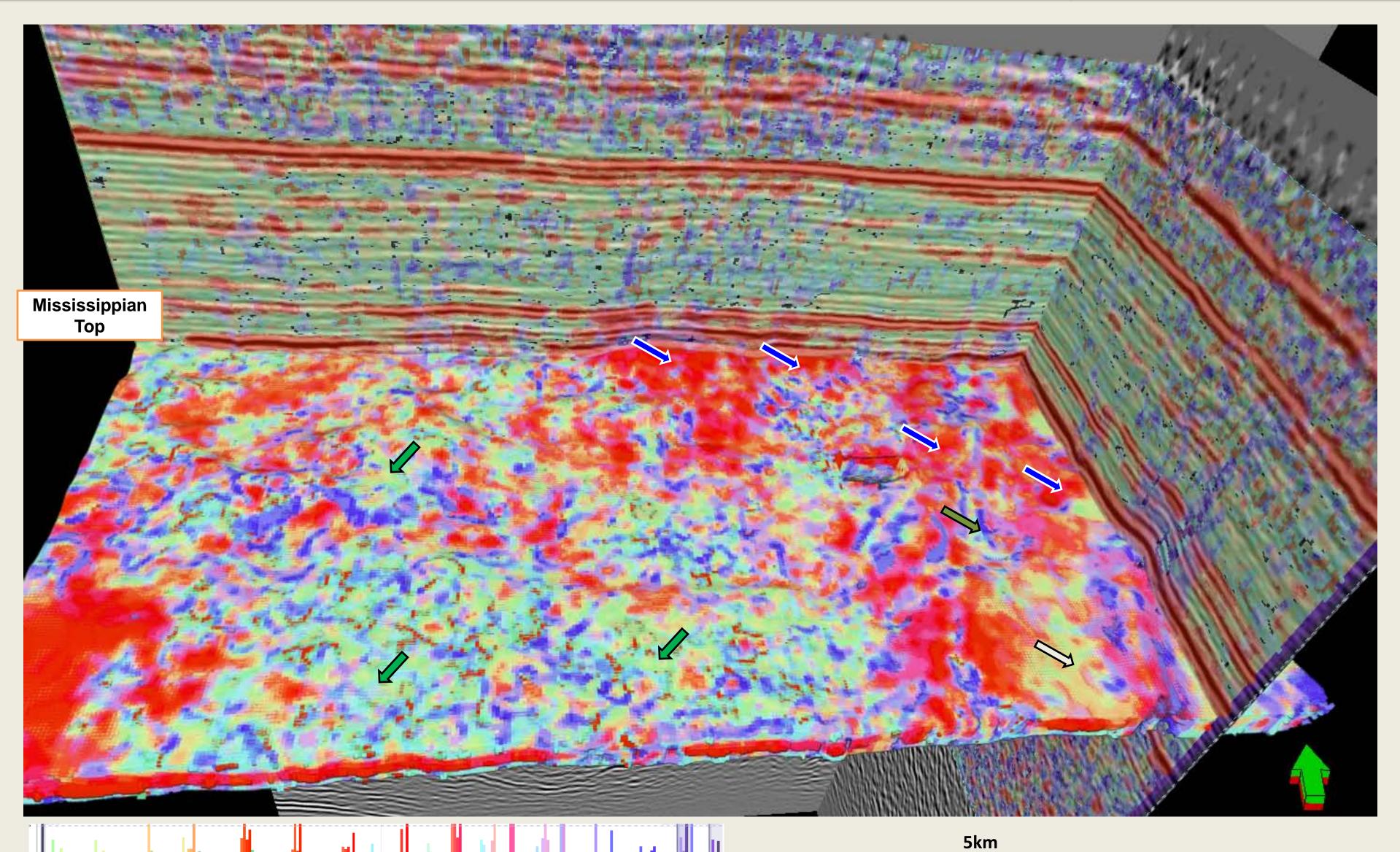
# 3D seismic facies volume below the Oswego formation

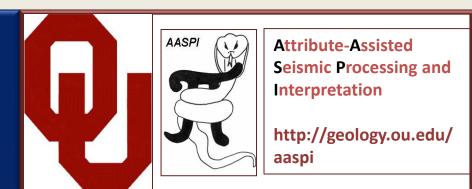




# 3D seismic facies volume of the Mississippian Lime and the chert formation

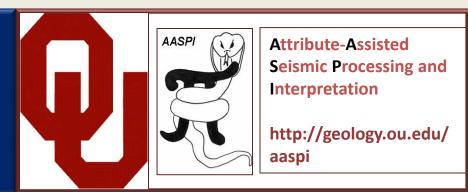






# Workflow for (1) 3D seismic Facies Classification (2) Reservoir quality and Completion quality through 3D multi-attribute analysis

# Proposed workflow for (1) Seismic Facies classification (2) Reservoir quality and completion quality



#### **Seismic Facies Classification**

- 1) Spectral Decomposed volumes
- 2) Texture attributes
- 3) Coherency volumes
- 4) Coherent energy

and a suite of other mathematically independent rotationally invariant attributes

Try out different combinations with these suites of volume

3D clustering

Correlate
the output
3D seismic
facies
volume with
the log,
production
data and the
regions of
good wells

#### **Reservoir and Completion Quality**

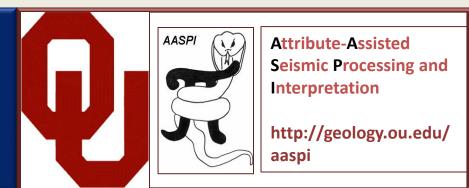
- 1) Lambda-Rho
- 2) Mu-Rho
- 3) Inverted Intercept
- 4) Inverted Gradient
- 5) Density volume (from Geostatistical Analysis)
- 6) AVAz Anisotropy

and a suite of other rock physics volumes

Try out different combinations with these suites of volume

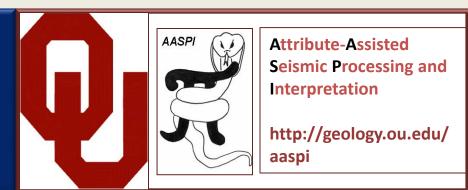
3D clustering

#### **Discussions and Recommendations**



- This multi-attribute facies analysis provides a volumetric estimation of seismic facies.
   The heterogeneous nature of the chert reservoir is highlighted with the subtle color variation of the zone between the Mississippian Lime and the Arbuckle top.
- The power of classification is heavily dependent on the choice of attributes (Barnes and Laughlin, 2002)
- Multi-attribute analysis of the second set of volumetric attributes show the structural boundaries better within the seismic facies volume.
- Seismic facies in the volume should be interpreted and calibrated to well information and rock properties.

#### Acknowledgements



- Spyglass Energy Group for the dataset.
- OU Attribute Assisted Seismic Processing and Interpretation (AASPI) Consortium sponsors



Schlumberger Petrel[®] software for visualization