

## **PS Predicting Fracability in Shale Reservoirs\***

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Search and Discovery Article #40783 (2011)

Posted July 31, 2011

\*Adapted from poster presentation at AAPG Annual Convention and Exhibition, Houston, Texas, USA, April 10-13, 2011

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### **Abstract**

Effectiveness of fracture stimulation techniques is controlled by the heterogeneous and anisotropic nature of rocks. Sedimentologic and stratigraphic models, the interaction of present-day and induced stress, and rock material properties, which are constrained by composition and mineral distribution, nature of primary sedimentary fabric, and presence and orientation of preexisting planes of weakness, can explain rock behavior.

The Barnett Shale in the Fort Worth basin is dominated by siliceous mudstone to claystone with a clay-mineral and cryptocrystalline quartz matrix. Laminated argillaceous lime mudstone and skeletal, argillaceous lime packstone are also abundant and several other facies are less common. Facies distributions in the central and eastern part of the basin are related to their location relative to advancing shale wedges and differ between proximal, distal, axial, and fringe depositional settings.

Fracability is a function of material brittleness and ductility, which can be inferred from Young's modulus and Poisson's ratio. We calculate values from bulk density and acoustic slowness well-log measurements and incorporate unconfined compressive strength (UCS) and internal friction angle (IFA) strength parameters with these constants. Hand-held penetrometer and micro-rebound hammer (MRH) measurements are used to estimate UCS and IFA. These measurements are performed at a frequency and scale as to be reconcilable with well logs and detailed petrographic, fabric and TOC data and allow calibration of petrographic data and indices of brittleness and ductility with log readings.

To address the behavior of shale reservoirs, we integrate qualitative and quantitative data. These data include core and thin section descriptions, penetrometer and MRH readings, description of present-day stress field, using a stress-strength equilibrium stress polygon approach, which includes estimates of overburden stress, maximum horizontal stress, minimum horizontal stress, and direction of maximum horizontal stress. Using stress estimates, fracture orientation data from borehole image logs, and pore pressure estimates, we calculate pressures needed to reactivate favorably oriented preexisting planes of weakness in shear. This approach establishes a means of calibrating lithology with well log response, allows correlation between lithology and rock strength, and predicts fracability based on these features and the nature of the in situ stress field.



# Predicting Fracability In Shale Reservoirs

(Point Count to Production)

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## Abstract

Effectiveness of fracture stimulation techniques is controlled by the heterogeneous and anisotropic nature of rocks. Sedimentologic and stratigraphic models, the interaction of present-day and induced stress, and rock material properties, which are constrained by composition and mineral distribution, nature of primary sedimentary fabric, and presence and orientation of preexisting planes of weakness, can explain rock behavior.

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To address the behavior of shale reservoirs, we integrate qualitative and quantitative data. These data include core and thin section descriptions, penetrometer and MRH readings, description of present-day stress field using a stress-strength equilibrium stress polygon approach, which includes estimates of overburden stress, maximum horizontal stress, minimum horizontal stress, and direction of maximum horizontal stress. Using stress estimates, fracture orientation data from borehole image logs, and pore pressure estimates, we calculate pressures needed to reactivate favorably oriented preexisting planes of weakness in shear. This approach establishes a means of calibrating lithology with well log response, allows correlation between lithology and rock strength, and predicts fracability based on these features and the nature of the in situ stress field.

## Supposition

We view fracability as the ease in which a rock can be forced into supporting a complex fracture network proximal to the wellbore. We define an index of fracability (fracability index = FI) that is equal to the average of the sum of the Brittleness Index (BI) and Stressed Fracture Index (SFI) so that FI = (Brittleness Index (BI) + Stress Fracture Index (SFI)) / 2.

Brittleness (B) is an important rock property. However, no universally accepted concept or measurement method exists (Altindag and Guney, 2010). Models used to quantify brittleness range from the slope of the stress-strain curve after the ultimate strength point has been reached (Jaeger and Cook, 1979) to ratios and combinations of hardness, fracture toughness, unconfined compressive strength (UCS), tensile strength, Young's modulus, and Poisson's ratio. For expediency, we have chosen to use the following methodologies and expressions to quantitative indices of brittleness.

1. Point Count:  
Jarvie's Brittleness =  $B_J = (V_{SiO_2} / (V_{clay} + V_{SiO_2} + V_{CaCO_3}))$   
Breyer's Brittleness =  $B_B = \{ (V_{SiO_2} / (V_{clay} + V_{SiO_2} + V_{CaCO_3} + V_{other})) \} \times SCM$   
SCM = Strength Coefficient Multiplier  
 $V_{SiO_2}$  = Volume quartz,  $V_{clay}$  = Volume clay,  
 $V_{CaCO_3}$  = Volume Carbonate,  $V_{other}$  = Volume of other constituents

2. Micro-Mechanical testing: From Rickman et al. (2008), referred to here as Mullen (M),  
 $B_M \text{ core} = \{ [(E - 1)/7] + [(v - 0.4) - 0.25]/2 \}$   
 $E$  = Young's Modulus (static)  
 $v$  = Poisson's Ratio

3. Petrophysical log analysis: From Rickman et al. (2008), referred to here as Mullen (M),  
 $B_M \text{ log} = \{ [(E - 1)/7] + [(v - 0.4) - 0.25]/2 \}$   
 $E$  = Young's Modulus (static)  
 $v$  = Poisson's Ratio

FRACABILITY INDEX MODEL

Fracability = The ease in which a rock can be forced into supporting a complex fracture network proximal to the wellbore.

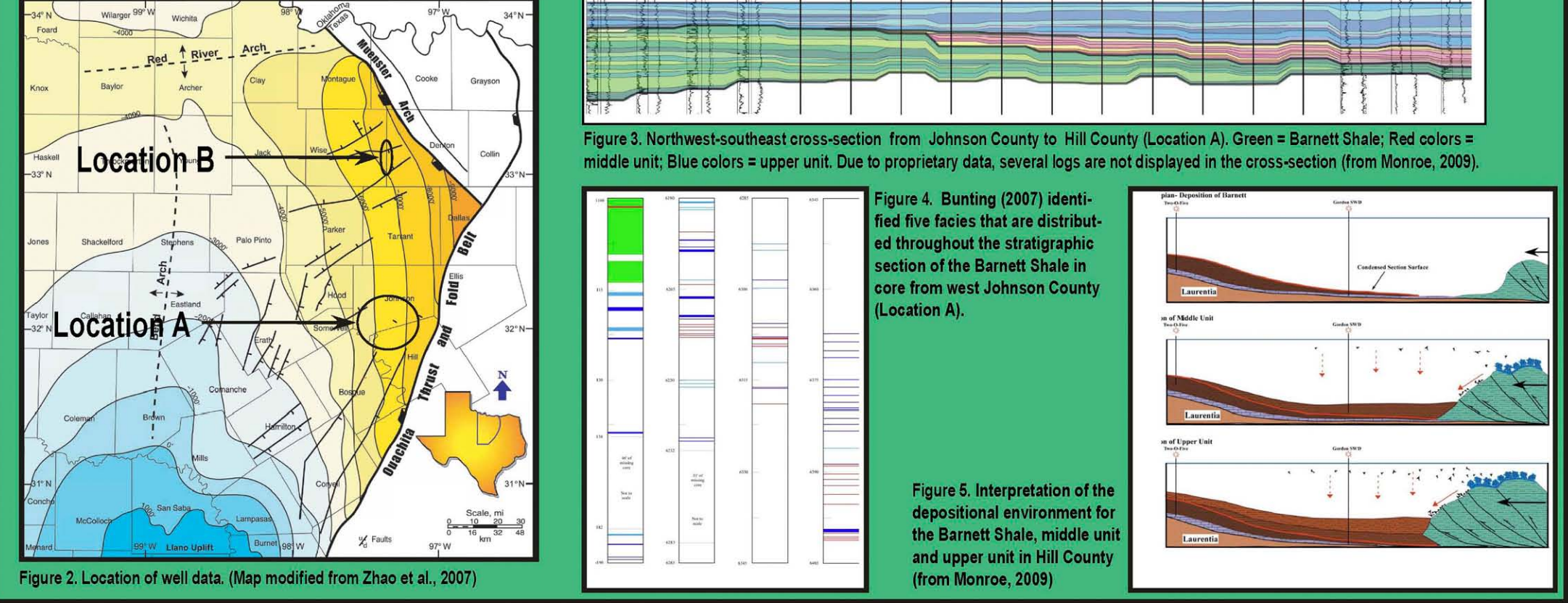
Fracability Index (FI) = (Brittleness Index (BI) + Stressed Fracture Index (SFI)) / 2  
FI = (BI + SFI) / 2

1. Brittleness Index (BI)  
A. Point Count Data  
B. Micro Mechanical Data =  $B_M$   
C. Log Data =  $B_M$

2. Stressed Fracture Index (SFI)  
A. Determine present day stresses via Stress Polygon:  $S_v, S_H, S_{max}, S_{min}, P_p$   
B. Construct Reactivation Table (RT) of reactivation pressures (P<sub>r</sub>) as a function of dip and strike.  
C. Observe dip and strike of fractures (borehole imagery, core, out crop).  
D. Assign a value of reactivation pressures from RT to each dip-strike pair per observed fracture.  
E. Calculate SFI from the distribution of reactivation pressures obtained in previous step.

Figure 1. Work flow.

We also view the interaction of present-day stress with natural fractures and the ease of the fractures to be reactivated during hydrologic fracture stimulation, thereby producing seismic events on a very small scale (e.g. -3 magnitude), as an influential mechanism for the development of a complex fracture network proximal to the wellbore. The ease with which a particular orientation of fractures can be reactivated is quantified here as the stressed fracture index (SFI), which is a function of the fracture reactivation pressure (P<sub>r</sub>), pore pressure (P<sub>p</sub>), vertical stress (S<sub>v</sub>), and net pressure (np). SFI is illustrated in Figure 28.



# Barnett Shale: West Johnson County, Texas (Location A)

1. Point Count Data:  
Figure 7. Variations in grain size, composition, and Total Organic Carbon (TOC) concentration with depth.  
Figure 8. Point count data after "extraction" of volumes with depth.  
Figure 9. Plot of B<sub>J</sub> vs. B<sub>J</sub>.  
Figure 10. Plot of B<sub>M</sub> vs. B<sub>J</sub>.  
Figure 11. Core photo of siliceous mudstone and calcareous facies (light colored), which are most abundant in the Barnett Shale.  
Figure 12. Hand-held micro-mechanical testing devices: a. Dimpler, b. micro rebound hammer (MRH).  
Figure 13. Dimple tapes on a clear plastic sheet; a. front, b. back.  
Figure 14. Results of a proprietary scheme for regressing non-unique correlations with dimple diameter "ticks" and MRH's L' values.  
Figure 15. Plot of B<sub>J</sub> core vs. B<sub>M</sub> log.  
Figure 16. Plot of UCS core vs. UCS log.  
Figure 17. UCS and B<sub>M</sub> from petrophysical log analyses.  
Figure 18. Comparison of brittleness (B<sub>J</sub>, B<sub>M</sub>, B<sub>log</sub>) derived from point counting, micro-mechanical testing and log measurements. For the interval displayed, a BI of ~65% would be a reasonable value.

2. Micro-Mechanical Testing:  
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Figure 15. Plot of B<sub>J</sub> core vs. B<sub>M</sub> log.  
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3. Log Data:  
Figure 17. UCS and B<sub>M</sub> from petrophysical log analyses.  
Figure 18. Comparison of brittleness (B<sub>J</sub>, B<sub>M</sub>, B<sub>log</sub>) derived from point counting, micro-mechanical testing and log measurements. For the interval displayed, a BI of ~65% would be a reasonable value.

4. Selecting Brittleness Index (BI):  
It is worth noting the spread of BI values at similar depth as a function of the measurement method's support volume. Micro-mechanical testing, thin section point counting, and logging provide insight into the complexity of the lithology and potential scaling issues (see Figure 1). For example, the interval between 6100 and 6125 ft contains considerable scatter whereas the section around 6200 ft is relatively homogeneous. The upper section contains numerous strong phosphate nodules (see 6102 ft in Figure 19).

Brittleness Index (BI)  
Figure 19. Plot of B<sub>J</sub> vs. B<sub>J</sub>.  
Figure 20. Plot of B<sub>M</sub> vs. B<sub>J</sub>.  
Figure 21. Upper hemisphere Wulff plot of poles to drilling-induced tensile cracks suggesting the maximum horizontal stress direction (SHaz) is ~16°.  
Figure 22. Stress Polygon with four rock strength contour lines and their UCS values plotted. The yellow rock strength lines are positioned for reference only. The red line and associated value box correspond to the estimated rock strength of interest (11300 psi). S<sub>v</sub> is identified by the dark red dot and the blue dot marks the estimated present-day state of stress.  
Figure 23. Arbitrary planar mechanical discontinuity surface spatially described by strike and dip is placed in a stress field described by S<sub>v</sub>, S<sub>H</sub>, S<sub>max</sub>, and S<sub>min</sub>. The normal stress (S<sub>n</sub>) and shear stress (S<sub>t</sub>) can be calculated. Reactivation occurs by increasing P<sub>r</sub> such that the product of (S<sub>n</sub> - P<sub>r</sub>) and u is less than S<sub>t</sub>.  
Figure 24. Plot of reactivation pressure (P<sub>r</sub>) as a function of dip and strike (Reactivation Table (RT)). The value in each cell represents the pressure (P<sub>r</sub> in psi) required within a fault, fracture, crack, or bedding plane surface required to reactivate and fail in shear at the posted strike and dip values. Values assume constant coefficient of sliding friction (μ) of 0.78 (posted in the leftmost (left) cell) and zero cohesion. Color code is as follows: Yellow: Required pressure for reactivation that is less than S<sub>t</sub>; Blue: Reactivation at pressures that are greater than S<sub>t</sub>; Red: Reactivation pressure less than mud pressure.  
Figure 25. Upper hemisphere Wulff plot of poles to electrically conductive fractures.  
Figure 26. Upper hemisphere Wulff plot of poles to electrically non-conductive fractures.  
Figure 27. Plot of reactivation pressure (P<sub>r</sub>) as a function of strike and dip (Reactivation Table (RT)).  
Figure 28. Expression for the calculation of the SFI. With B = 400 psi, and NP = 800 psi, the SFI = 20%.

5. Determining Stress Fracture Index (SFI):  
The calculation of SFI differentiates observed fractures that are inconsequential, favorable and detrimental to the development of a complex fracture network proximal to the wellbore via hydraulic fracturing fluids. Inconsequential fractures are those with P<sub>r</sub> higher than the sum (A) of S<sub>v</sub> and net-pressure, which, therefore, cannot be reactivated. Fractures, like faults, with a P<sub>r</sub> close to P<sub>r</sub> would easily reactivate, thereby diverting the fracturing fluid, and never allow the fracturing pressure to exceed the S<sub>t</sub> to form Mode I fractures. Pressure B is the detrimental threshold pressure. Favorable fractures are those with P<sub>r</sub> between A and B and normally reside near the interface on the yellow and blue cells in Figure 27.

# Barnett Shale: T.P. Sims #2, Denton-Wise County Line, Texas (Location B)

Brittleness Index (BI)  
Figure 29. Stress Polygon.  
Figure 30. Results of micro-mechanical testing. Data in Figure 31.  
Figure 31. UCS and B<sub>M</sub> from petrophysical log analysis of data provided by Lancaster (1992).  
Figure 32. Stress Polygon.  
Figure 33. Reactivation Table.  
Figure 34. Fracture directions from Gale et al. (2007).

1. Micro-Mechanical Testing:  
Figure 29. Stress Polygon.  
Figure 30. Results of micro-mechanical testing. Data in Figure 31.  
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Figure 32. Stress Polygon.  
Figure 33. Reactivation Table.  
Figure 34. Fracture directions from Gale et al. (2007).

2. Log Data:  
Figure 31. UCS and B<sub>M</sub> from petrophysical log analysis of data provided by Lancaster (1992).

3. Observed Fractures:  
Observed fractures (Figure 34) are projected onto the reactivation table (Figure 33) and the SFI and FI are calculated.

4. Determining Stress Fracture Index (SFI):  
With B = 400 psi, and NP = 800 psi, the SFI = 90%.

5. Determining Fracability Index (FI):  
FI = (BI + SFI) / 2 = (46% + 90%) / 2 = 68%.

# Production Reference (PR)

Report and Log" Form G.	Location A	Location B
API	21681	49734514
Average of the highest first 3 months production (A3MP), MCF	3164	33164
Measured thickness of interval(MT), ft	3484	334
Production reference (PR) = A3MP / (product of MT, TVP, and NS), MCF / (MMgal ft NoS)	3.55	33.64

# Fracability Index (FI) vs. Production Reference (PR)

Location A	Location B
PR 3.55	33.64
FI 38%	68%

# Implication

- Once a fracture's P<sub>r</sub> has been exceeded by pressure of the hydrologic fracturing fluids, shear failure occurs (activation). When pumping is stopped and the pressure of the hydrologic fracturing fluid falls below the P<sub>r</sub> (deactivation), the "tail-off" pressure response, as a function of time, can be misconstrued as "closure" pressure (see Couzens-Schultz and Chan, 2010, also Mullen and Enderlin, 2010). Implying that traditional "closure" pressure value may or may not be equivalent to Sh.
- Fractures with low P<sub>r</sub> (center of the yellow sections of Figures 24, 27, and 33) need to be forced into a "tip-screen-out" condition in order to increase the bottom hole treating pressure to a value above Sh.

# Conclusion

The authors would like to thank EOG Resources for providing the access to core used in the analysis and The Gearhart Companies for providing the resources needed to conduct this research.